# (In)Security of an Efficient Fingerprinting Scheme with Symmetric and Commutative Encryption of IWDW 2005

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**Abstract.** We analyze the security of a fingerprinting scheme proposed at IWDW 2005. We show two results, namely that this scheme (1) does not provide *seller security*: a dishonest buyer can repudiate the fact that he redistributed a content, and (2) does not provide *buyer security*: a buyer can be framed by a malicious seller.

**Keywords:** Watermarking, fingerprinting, security issues, combination of data hiding and cryptography, buyer-seller, repudiation, framing.

#### 1 Introduction

Two of the most celebrated applications of watermarking are *copyright* protection and piracy protection. For this, a robust watermarking scheme is employed to embed the content owner's mark to prove his ownership; and to embed a mark (so called a fingerprint) of the content buyer so that the content binds to the buyer and any dishonest buyer who later redistributes this content can be traced.

An interesting body of literature in watermarking has formed around the design and analysis of buyer-seller watermarking (BSW) schemes, which are typically protocols that allow marks identifying both the seller (it is commonly assumed that the owner is the seller) and the buyer to be embedded into the content, so that copyright and piracy protection can be provided. In addition to ensuring this basic *seller security*, BSW schemes also provide *buyer security* [34], i.e., an honest buyer is assured that he cannot be framed by malicious sellers.

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Related Work. It turns out that designing secure BSW schemes is more subtle than first thought. For instance, the original proposal that highlighted the need to provide buyer security in [34], was shown inadequate in [25] since the seller knows the final copy of the fingerprinted content and may well have redistributed this himself.

Meanwhile, a few subsequent BSW schemes proposed with different additional features like anonymity [20], without trusted third parties (TTP) [10] and extension for multiple purchases [11] were later found to have security problems [10, 19, 18]. A few more recent schemes can be found in [24, 37, 38].

BSW schemes typically employ techniques from both watermarking and cryptography. See [13, 21, 33] for cautions when integrating the two fields.

This Paper. We show the first known analysis of a recent BSW scheme proposed by Yong and Lee at IWDW 2005 [37]. Our results indicate that this scheme does not provide seller security and buyer security, properties that are desired by any basic BSW scheme.

Section 2 gives the preliminaries and notations used throughout this paper. We describe the Yong-Lee BSW scheme in Section 3, and then present our attacks in Section 4. Section 5 gives some concluding remarks.

#### 2 Preliminaries

We list here basic requirements of a secure anonymous buyer-seller watermarking scheme (the interested reader can refer to [25, 37] for details):

- **Traceability**. The buyer who has illegally redistributed watermarked contents can be traced.
- Non-Repudiation. The guilty buyer cannot deny having illegally redistributed copies of the content.
- Non-Framing. No one can accuse an honest buyer.
- Privacy: Anonymity and Unlinkability. Without obtaining an illegally distributed copy, the seller cannot identify the buyer. Also, the purchases of honest buyers should not be linkable even by a collusion of all sellers, registration center and other buyers.

Note that in any BSW scheme, it is assumed that the underlying watermarking scheme used for embedding is collusion-tolerant and robust.

#### 2.1 Cryptographic Preliminaries

In a public key cryptosystem [26], each party A possesses a pair of publicprivate keys  $(y_A, x_A)$  obtainable from a certificate authority or registration center RC. For convenience, we let  $y_A \equiv g^{x_A} \mod p$  [26], where p is a large prime and g is a generator of the multiplicative group  $\mathbb{Z}_p^*$  of order (p-1). Also, unless otherwise specified, all arithmetic operations are performed in  $\mathbb{Z}_p^*$ . Any party can encrypt a message for A using  $y_A$ , but only A can decrypt this message with  $x_A$ . This ensures confidentiality. Furthermore, A can sign a message by encrypting it with  $x_A$ , denoted as  $sign_{x_A}(M)$ , so that anybody can verify by using  $y_A$  that the message really originated from A. This provides authentication and non-repudiation. Note however that it is common knowledge not to use the same key-pair for both encryption and signature.

Both the seller and the buyer have registered with the registration center RC, and have their own pair of keys which are  $(y_A, x_A)$  and  $(y_B, x_B)$ , respectively. Note that the RC also has its own public-private key pair  $(y_{RC}, x_{RC})$ .

#### 2.2 Notations

For ease of explanation, we use the following common notations for BSW schemes:

- S the seller who owns and sells the digital content X
- B the buyer who buys the digital content
- RC registration center who can issue certificates
  - J the judge
  - ⊗|fingerprint embedding (watermarking) operation
- X original content with t elements  $(x_1, x_2, ..., x_t)$
- X' fingerprinted content, where  $X' = X \otimes F$  for a fingerprint F
- $H(\cdot)$  collision-resistant hash function
- $E_U(x)$  public-key encryption of x under party U's public key
- $Enc_K(x)$ |symmetric-key encryption of x under secret key K
- $CEnc_K(x)$  commutative symmetric-key encryption of x under secret key K

### 3 The Yong-Lee Anonymous BSW Scheme

We describe the anonymous BSW scheme by Yong and Lee proposed at IWDW 2005 [37]. As is common for this type of scheme, it consists of

three phases; i.e. registration, fingerprinting and identification. For better illustration, we depict the registration phase and fingerprinting phase in Fig. 1.

**Registration.** This phase involves two parties: the buyer B and registration center RC. Both are assumed to have public and private key pairs, i.e.,  $x_I$  is the private key of party I while its public key is  $y_I = g^{x_I}$ . Certificates issued by RC are signed by its private key  $x_{RC}$ , and can be publicly verified by anyone using RC's public key  $y_{RC}$ .

- 1. B randomly chooses two secret values  $x_1, x_2 \in \mathbb{Z}_p^*$  such that  $x_1 + x_2 = x_B \in \mathbb{Z}_p^*$ . Then B sends  $(y_B, y_1 = g^{x_1}), E_{RC}(x_2)$  to RC, and convinces via zero knowledge to RC of its possession of  $x_1$ .
- 2. RC decrypts  $E_{RC}(x_2)$  and computes  $y_2 = g^{x_2}$  and checks that  $y_1y_2 = y_B$ . If verified, it returns to B a certificate  $Cert(y_1)$  which states the correctness of  $y_1$  and the registration of B.

Repeating this phase several times allows B to obtain several different pairs  $(y_1, x_1)$  which it will use as its unlinkable and anonymous key pairs.

**Fingerprinting.** This phase involves two parties: the buyer B and the seller S.

- 1. B sends  $y_1$ ,  $Cert(y_1)$  and payment to S as a purchase request for the digital content X.
- 2. On receiving this, S verifies  $Cert(y_1)$  and generates two fingerprints  $F_B^0$  and  $F_B^1$  for B, i.e.,

$$F_B^i = \{f_B^{i,1}, f_B^{i,2}, \dots, f_B^{i,t}\}, i = \{0, 1\}.$$

3. S generates two identical copies of the digital content  $X^0$  and  $X^1$ , and splits each copy into t frames, i.e.,

$$X^i = \{x^{i,1}, x^{i,2}, \dots, x^{i,t}\}, i = \{0, 1\}.$$

4. S then embeds  $F_B^i$  into each of the t frames of  $X^i$  for  $i = \{0, 1\}$ , by using the specific embedding construction in [14], to obtain

$$X_B^i = \{x_B^{i,1}, x_B^{i,2}, \dots, x_B^{i,t}\}, i = \{0, 1\},$$

where

$$x_B^{i,j} = x^{i,j} \otimes f_B^{i,j} \quad , i = \{0,1\}, j = \{1,\dots,t\}.$$

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Buyer, B
                                                                                     Registration Center, RC
Randomly select:
x_1, x_2 \in_R \mathbb{Z}_p^* \text{ s.t. } x_1 + x_2 = x_B
Compute y_1 and encrypt x_2:
                                                      y_B, y_1, E_{RC}(x_2)
y_1 = g^{x_1}, E_{RC}(x_2).
                                                                                        Decrypt E_{RC}(x_2) using x_{RC}.
                                                                                                       Compute: y_2 = g^{x_2}
                                                                                                       Check: y_1 \cdot y_2 \stackrel{?}{=} y_B
                                                              Cert(y_1)
                                                                                                If pass, return Cert(y_1)
                                                  (a) Registration Phase
     Buyer, B
                                                                                                                       Seller, S
                                                     y_1, Cert(y_1), payment
                                                                                              Verify Cert(y_1) (using y_{RC})
                                                                                              If pass, generate and embed:
                                                                                  F_B^{is} = \{f_B^{i,1}, f_B^{i,2}, \dots, f_B^{i,k}\},
X^i = \{x^{i,1}, x^{i,2}, \dots, x^{i,t}\}, i = \{0, 1\},
X_B^i = \{x_B^{i,1}, x_B^{i,2}, \dots, x_B^{i,t}\} \text{ where}
x_B^{i,j} = x^{i,j} \otimes f_B^{i,j}.
                                                                                    Generate 2 secret keys K_0 and K_1
                                                                                    K_i = \{k_{i,1}, k_{i,2}, \dots, k_{i,t}\}, i = \{0, 1\}
                                                                                                           Encrypt and obtain:
                                                                          \mathcal{X}_{B}^{i} = \{\mathbf{x}_{B}^{i,1}, \mathbf{x}_{B}^{i,2}, \dots, \mathbf{x}_{B}^{i,t}\} = Enc_{K_{i}}(X_{B}^{i}).
Encrypt K_{0} and K_{1} (using K_{S}):
                                                   C_i = \{CEnc_{K_S}(k_{i,1}), CEnc_{K_S}(k_{i,2}), \dots, CEnc_{K_S}(k_{i,t})\}
                                                                                                          = \{c_{i,1}, c_{i,2}, \ldots, c_{i,t}\}.
                                                         \mathcal{X}_B^0, \mathcal{X}_B^1, C_0, C_1
Randomly generate:
L_B = \{l_1, l_2, \dots, l_t\}
for l_j = \{0, 1\}.
Then construct:
C' = \{c'_1, c'_2, \dots, c'_t\}
where c'_j = c_{l_j,j}.
Encrypts C' (using K_R):
D_1 = \{d_1, d_2, \dots, d_{\frac{t}{2}}\} and
D_2 = \{d_{\frac{t}{2}+1}, \dots, d_t\}, \text{ where }
d_i = CEnc_{K_R}(c_i').
                                                                                                     Decrypt D_1 (using K_S):
                                                                                              U_1 = \{u_1, u_2, \dots, u_{\frac{t}{2}}\}, \text{ where}
Decrypt U_1 (using K_R).
                                                                              - u_i = CEnc_{K_S}^{-1}(d_i) = CEnc_{K_R}(k_{l_j,j})
Then, decrypt 1^{th} t/2 frames:
\mathbf{x}_{B}^{l_{j},j} for j = \{1, 2, \dots, \frac{t}{2}\}.
Generate:
T_B = E_J(L_B) and sig_{x_1}(T_B).
                                                                                               Verify (using y_1) sig_{x_1}(T_B)
                                                                                If verified, it decrypts D_2 (using K_S):
                                                      {U_2}, {sig_x}_S\left( {{T_B}} \right)
                                                                                                          U_2 = \{u_{\frac{t}{2}+1}, \dots, u_t\}.
Decrypt U_2 (using K_R).
Then, decrypt 2^{nd} t/2 frames:
                                                  TN_B=E_J(H(X_B),H(X_B)\oplus H(L_B)
X_B = \{x_B^{l_1,1}, x_B^{l_2,2}, \dots, x_B^{l_t,t}\}
                                                                                                                   Record Rec_B =
                                                                       \langle y_1, Cert(y_1), F_B^0, F_B^1, T_B, sig_{x_1}(T_B), TN_B \rangle.
                                                (b) Fingerprinting Phase
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Fig. 1. Yong-Lee Anonymous BSW Scheme

5. S generates two secret key vectors  $K_0$  and  $K_1$ . Each key vector consists of t randomly selected keys:

$$K_i = \{k_{i,1}, k_{i,2}, \dots, k_{i,t}\}, i = \{0, 1\}.$$

6. S encrypts each of the t frames of  $X_B^i$  ( $i = \{0, 1\}$ ) using each of the t keys of  $K_i$ , using symmetric key encryption  $Enc_K(\cdot)$ . This produces two encrypted digital content vectors  $\mathcal{X}_B^0$  and  $\mathcal{X}_B^1$  of frames, such that

$$\mathcal{X}_{B}^{i} = \{\mathbf{x}_{B}^{i,1}, \mathbf{x}_{B}^{i,2}, \dots, \mathbf{x}_{B}^{i,t}\}$$

$$= Enc_{K_{i}}(X_{B}^{i})$$

$$= Enc_{k_{i,j}}(x_{B}^{i,j}), i = \{0,1\}, j = \{1,\dots,t\}.$$

7. S randomly selects a secret key  $K_S$  and encrypts the two key vectors  $K_0$  and  $K_1$  via commutative encryption  $CEnc_K(\cdot)$ , producing two encrypted key vectors  $C_0$  and  $C_1$ , i.e.

$$C_i = \{c_{i,1}, c_{i,2}, \dots, c_{i,t}\}\$$

$$= \{CEnc_{K_S}(k_{i,1}), CEnc_{K_S}(k_{i,2}), \dots, CEnc_{K_S}(k_{i,t})\}, i = \{0, 1\}.$$

S sends 
$$(\mathcal{X}_{R}^{0}, \mathcal{X}_{R}^{1}, C_{0}, C_{1})$$
 to B.

- 8. B randomly generates a t-bit integer  $L_B = \{l_1, l_2, \ldots, l_t\}$  for  $l_j = \{0, 1\}, j = \{1, \ldots, t\}$ , restricted to the fact that  $L_B$  should not be all 0 or all 1. It then constructs a new encrypted vector  $C' = \{c'_1, c'_2, \ldots, c'_t\}$  where  $c'_j = c_{l_j,j}$ . To elaborate, this means that each  $c'_j$  is either  $c_{0,j}$  or  $c_{1,j}$  depending on the bit  $l_j$  of  $L_B$ .
- 9. B randomly chooses a secret key  $K_R$  and encrypts C' via commutative encryption to obtain an encrypted vector that it halves into two consecutive parts  $D_1 = \{d_1, d_2, \ldots, d_{\frac{t}{2}}\}$  and  $D_2 = \{d_{\frac{t}{2}+1}, \ldots, d_t\}$ , where

$$d_{i} = CEnc_{K_{R}}(c'_{i})$$

$$= CEnc_{K_{R}}(CEnc_{K_{S}}(k_{l_{j},j}))$$

$$= CEnc_{K_{S}}(CEnc_{K_{R}}(k_{l_{j},j})).$$

B sends  $D_1$  to S.

10. S decrypts  $D_1$  with  $K_S$  to get the vector  $U_1 = \{u_1, u_2, \dots, u_{\frac{t}{2}}\}$ , where

$$u_i = CEnc_{K_S}^{-1}(d_i)$$

$$= CEnc_{K_S}^{-1}(CEnc_{K_S}(CEnc_{K_R}(k_{l_j,j})))$$

$$= CEnc_{K_R}(k_{l_j,j}).$$

S sends  $U_1$  to B.

- 11. B now obtains t/2 decryption keys by decrypting each  $u_i$  with key  $K_R$ , and can thus decrypt the first t/2 frames of the encrypted digital content  $\mathbf{x}_B^{l_j,j}$  for  $j = \{1, 2, \dots, \frac{t}{2}\}$ .
- 12. B generates  $T_B = E_J(L_B)$  and a signature  $sig_{x_1}(T_B)$ . These are evidence for resolving piracy disputes in future. B sends  $(T_B, sig_{x_1}(T_B), D_2)$  to S.
- 13. S verifies  $sig_{x_1}(T_B)$  with  $y_1$ . If verified, it decrypts  $D_2$  with  $K_S$  to obtain the vector  $U_2 = \{u_{\frac{t}{2}+1}, \ldots, u_t\}$ , where  $u_i$  is similar to that in Step (10.). S sends  $(U_2, sig_{x_S}(T_B))$  to B.
- 14. B now obtains the remaining t/2 decrypting keys by decrypting each  $u_i$  of  $U_2$  with key  $K_R$ , thus it can decrypt the remaining t/2 frames of  $\mathcal{X}_B^{l_j,j}$  for  $j = \{\frac{t}{2} + 1, \ldots, t\}$ . Hence, B now has the complete finger-printed content  $X_B$ , i.e.

$$X_B = \{x_B^{l_1,1}, x_B^{l_2,2}, \dots, x_B^{l_t,t}\}.$$

B sends  $TN_B = E_J(H(X_B), H(X_B) \oplus H(L_B))$  to S.

15. S records  $Rec_B = \langle y_1, Cert(y_1), F_B^0, F_B^1, T_B, sig_{x_1}(T_B), TN_B \rangle$  in its database.

**Identification.** This phase involves three parties: the seller S, the judge J and the registration center RC.

- 1. After finding an illegally redistributed digital content, S extracts the fingerprint from it. S then sends  $\mathcal{X}_B^0$  and  $\mathcal{X}_B^1$  with the transaction record  $Rec_B$  to the judge J.
- 2. J decrypts  $T_B$  and  $TN_B$  and checks that  $L_B$  corresponds to  $\mathcal{X}_B$ , and that  $T_B$  was signed by B. It verifies the presence of frames of either  $F_B^0$  or  $F_B^1$  in  $X_B$  based on  $L_B$ . If all are verified, it sends  $y_1$  to RC and asks for the identity of B, and informs S.

## 4 Insecurity of the Yong-Lee BSW Scheme

Attacking the Seller Security. The security of the seller is captured by the notion of *traceability* and *non-repudiation*.

Nevertheless, we show how the seller security can be defeated by a malicious buyer. The attack follows.

- 1. B performs an entire **fingerprinting** protocol session with S, thus in the end B has the content  $X_B$  and S has recorded  $Rec_B = \langle y_1, Cert(y_1), F_B^0, F_B^1, T_B, sig_{x_1}(T_B), TN_B \rangle$  in its database.
- 2. B initiates another **fingerprinting** protocol session with S, this time requesting for some other digital content X'. During the protocol, B proceeds normally, except that it reuses the  $y_1$ ,  $Cert(y_1)$ ,  $T_B$ ,  $sig_{x_1}(T_B)$ ,  $TN_B$  from the previous session. It is clear that S will correctly verify  $y_1$  from  $Cert(y_1)$ , and  $T_B$  from  $sig_{x_1}(T_B)$ . Furthermore S cannot check  $TN_B$  since it is encrypted for only J to decrypt.
- 3. Thus in the end B obtains the fingerprinted  $X'_B$  and S records  $Rec'_B = \langle y_1, Cert(y_1), F'_B, F'_B, T_B, sig_{x_1}(T_B), TN_B \rangle$  in its database.
- 4. B can repeat this as many times as it wishes. Now B can pirate all the fingerprinted content  $X'_B$  it received from its sessions with S except for the first,  $X_B$ .
- 5. When S discovers that  $X'_B$  has been redistributed and initiates the **identification** protocol, B can counter that it only bought once from S, for the digital content  $X_B$ . It can argue that the other  $X'_B$  have nothing to do with him, but that S reused  $y_1$ ,  $Cert(y_1)$ ,  $T_B$ ,  $sig_{x_1}(T_B)$ ,  $TN_B$  to frame him for distributing  $X'_B$ .
- 6. The judge J cannot reach a conclusion in favour of S because  $TN_B$  will not correspond to  $X'_B$  since it corresponds only to  $X_B$ .

This attack shows to some extent a failure of traceability since B cannot be judged guilty for redistributing  $X'_B$ . This also shows a failure of non-repudiation because the only part that binds to B for which B cannot repudiate is  $T_B = E_J(L_B)$ , which is independent of the digital content bought by B.

Attacking the Buyer Security. The security of the buyer is captured by the notion of *non-framing*. Additionally, when privacy is desired then this is captured by *anonymity* and *unlinkability*.

We demonstrate two cases for which non-framing can be violated. The first follows, by exploiting  $T_B$ .

- 1. S guesses all possible values of  $L_B$  and for each guess checks if  $T_B = E_J(L_B)$ . Since  $L_B$  is only a 32-bit vector, this requires just  $2^{32}$  trials.
- 2. S does the **fingerprinting** protocol steps 3 and 4 for X', where the old fingerprints  $F_B^0$  and  $F_B^1$  are reused, and embedded into any other content X' for which S wants to frame B. This gives  $X_B^{(0)}$  and  $X_B^{(1)}$ .
- 3. Since  $L_B$  has been obtained, S knows the fingerprinting pattern chosen by B. So S can embed the same pattern into any other content X'. Denote the fingerprinted content as  $X'_B$ .
- 4. S computes  $TN'_B = E_J(H(X'_B), H(X'_B) \oplus H(L_B))$ .
- 5. S initiates the **identification** protocol to frame B for pirating  $X'_B$ , by sending  $X'_B$  and  $X'_B$  together with transaction record  $Rec'_B = \langle y_1, Cert(y_1), F_B^0, F_B^1, T_B, sig_{x_1}(T_B), TN'_B \rangle$  to the judge J.
- 6. J decrypts  $T_B$  and  $TN'_B$  and will correctly verify that  $L_B$  corresponds to  $X'_B$ , and that  $T_B$  was signed by B. It will also correctly detect in  $X'_B$  the presence of the fingerprinting pattern based on  $L_B$ . Thus, this will cause J to agree that B has pirated  $X'_B$ , and it will send  $y_1$  to RC to ask for the identity of B, and informs S.

The second attack below also violates non-framing in the sense that even if B was dishonest and redistributed  $X_B$ , it should only be held guilty for  $X_B$  and not for any other content  $X_B'$  for which it did not redistribute. This is in line with the common legal system. If this is violated, it is still unfair to B; for instance if  $X_B$  is some inexpensive content whose copyright is claimed by S only for a brief period thus B might feel it is ok to redistribute among friends after some time. However, once  $X_B$  is obtained by S it can frame B for redistributing some other very expensive content  $X_B'$  and for which it holds copyright indefinitely. The attack follows.

- 1. S does not know the fingerprinting pattern based on  $L_B$  that was selected by B to be embedded into content X to form  $X_B$ . However, S does have the copies of  $X_B^0$  embedded with  $F_B^0$ , and of  $X_B^1$  embedded with  $F_B^1$ .
  - Proceeding frame by frame in sequence, S compares each frame of  $X_B$  with each frame of  $X_B^0$  and of  $X_B^1$ . Since each frame is processed independently (like in electronic code book way), S will successfully obtain the fingerprinting pattern  $L_B$ .
- 2. The rest of the attack steps is similar to the steps 2 to 6 of the first attack above.

Our first attack exploits the fact that  $L_B$  can be bruteforced in practice, and that  $T_B$  can be used for verifying these guesses. Even if  $L_B$  is too

long to be bruteforced in practice (but this is not the case for the Yong-Lee scheme), our second attack still applies. It exploits the fact that the seller S knows the fingerprint set  $\{F_B^0, F_B^1\}$  used to embed into the content thus it can know the fingerprinting pattern chosen by the buyer B by simple frame comparison once a copy of the fingerprinted content  $X_B$  is available. In both attacks, the major flaw we exploit is the same for which we exploited in our attack on Seller Security in the previous subsection: that the only thing that binds to the buyer B is  $sig_{x_1}(T_B)$ , which is independent of the content bought by B. This allows the seller S to transplant the same fingerprinting pattern to any other content for as many times as it wishes to frame B.

## 5 Concluding Remarks

The Yong-Lee BSW scheme attempts to eliminate the inefficiency of some existing BSW schemes by using symmetric key encryption and commutative encryption. The flaws that we have demonstrated on this scheme do not stem from the use of these encryption methods, but exploits the fact that the scheme was not sufficiently binding a buyer to the content. This causes a buyer to repudiate and thus get away with illegal redistribution of bought content, breaking seller security. This also makes it easier for a seller to transplant a buyer's fingerprint to other contents for framing, thus breaking buyer security.

Our results show that the Yong-Lee scheme does not offer the security for which it is designed to provide, and therefore leaves doubts on the design of this scheme, considering the state of the art of BSW schemes thus far, and the fact that the Yong-Lee BSW scheme is a fairly recent proposal that should have taken the state of the art into its design consideration. We caution against simple fixes that patch our attacks in this paper since experience has shown that the break-and-fix cycle loops indefinitely, for instance see [17–19, 30–32] where attacks were applied to protocols [8–11, 20, 22, 6, 36] that improved on existing ones. We suggest instead, that if BSW schemes are required, to consider other schemes like [24, 38] that have not yet been shown to fall to any attacks that counter their design goals.

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