Bearingless PM-synchronous machine with axial active magnetic bearing fed by zero-sequence current

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A novel inverter supply for bearingless PM-synchronous motors with magnetic suspension allows the reduction of the number of power electronic switches. Hence, all six motional degrees of freedom of bearingless AC machines may be controlled via 3-phase inverter topologies. In this paper, instead of a bearingless motor consisting of two half motors, one bearingless motor with an additional radial active magnetic bearing is treated. Bearingless machines with cylindrical rotors in contrast to double cone rotors generate – apart from the electromagnetic torque – only radial magnetic forces. Hence, an axial magnetic bearing is used.

For this bearing, there is no need for a feeding converter bridge as the bearing coil is fed by the zero-sequence current of the feeding 3-phase inverters. The bearing coil is placed between the two star points of the motor winding. The zero-sequence current amplitude is adjusted by the 3-phase inverters via pulse width modulation. The feasibility of this kind of axial position control is proven by simulation as well as with an experiment with a 1 kW prototype motor up to 60000 min^{-1}.

Keywords: magnetic bearings; zero-sequence current system; high-speed drives; bearingless machines

Lagerlose PM-Synchronmaschine mit nullstromgespeistem axialen aktiven Magnetlager.

Eine neuartige Wechselrichterspeisung für magnetgelagerte, lagerlose PM-Synchron-Antriebe hat ihren Vorteil in der Einsparung von leistungselektronischen Stellelementen. Somit können bei lagerlosen Maschinen mit dreiphasigen Stellern alle Bewegungsfreiheitsgrade aktiv geregelt werden. Im Beitrag wird anstelle einer lagerlosen Maschine mit zwei Halbmaschinen eine lagerlose Maschine mit zusätzlichem Radial-Magnetlager behandelt. Lagerlose Maschinen erzeugen bei nicht-konischem Läufer neben dem Drehmoment nur radiale Rotorkräfte, sodass für die axiale Rotor-Positionsregelung ein axiales Magnetlager verwendet wird. Mit dem vorgestellten Nullstrom-Konzept zur Speisung des axialen Magnetlagers entfällt die dafür nötige leistungselektronische Vollbrücke, weil die Aktorspule dieses Magnetlagers mit den beiden Sternpunkten des Statorwicklungssystems der lagerlosen Maschine verbunden wird. Die Speisung erfolgt durch ein künstlich erzeugtes Nullstromsystem aus den Drehstromstellern der Statorwicklung mit Pulsweitenmodulation. Der Funktionsnachweis wird mit einem 1-kW-Prototyp bis 60000 min^{-1} anhand von Simulation und Messung erbracht.

Schlüsselwörter: Magnetlagerung; Nullstromsystem; Hochdrehzahlantriebe; lagerlose Maschinen

1. Introduction

Bearingless Motors (BM) have gained rising attractiveness in the past decade. However, the increased manufacturing effort and the necessary complex position control have limited bearingless motor solutions for industrial use up to now [8]. Especially the motor topologies with special, e.g. conical rotor shapes [7, 15, 21] suffer from that drawback. The most promising topologies for industrial high-speed applications such as pumps or compressors is the bearingless PM synchronous machine. Several prototypes of this topology have reached high speed values up to 100000 min^{-1} [12] and 60 kW [16].
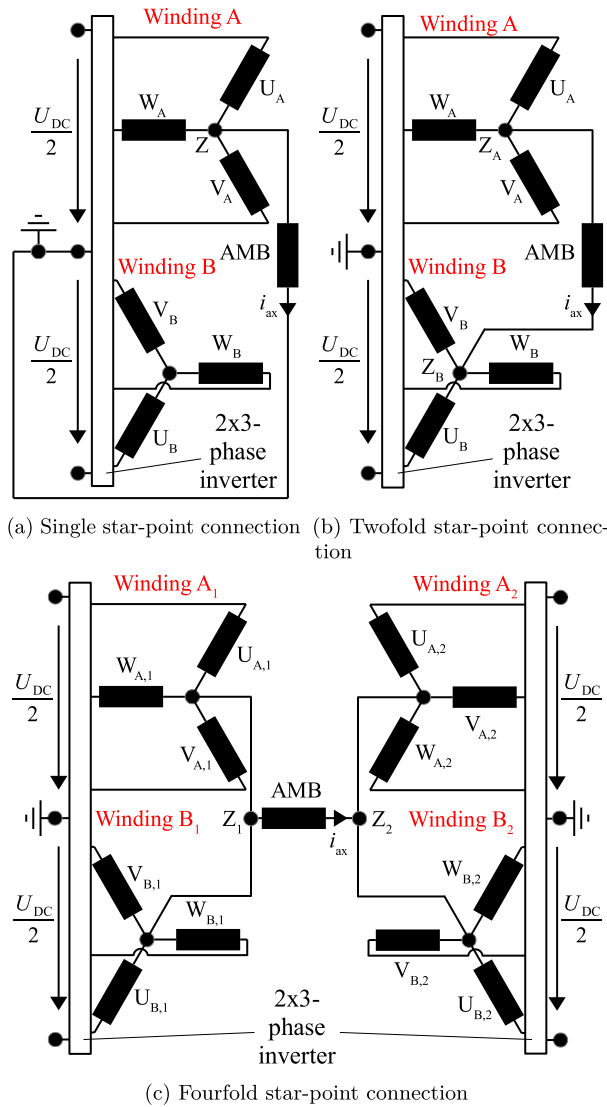
Here, a novel feeding concept of the axial bearing is presented, avoiding the double-cone rotor, but also the extra DC-chopper feeding circuit for the axial bearing coil. This solution reduces the costs, making it a feasible alternative to the use of an extra active magnetic bearing (AMB) circuit or of expensive mechanical high-speed ball-bearings, which require additional maintenance due to lubrication. The concept is based on the reduction of power switches and enables the use of standard 3-phase inverter modules. Thus, the concept can also be applied to higher power classes of several

100 kW. Here, a 1 kW/60000 min^{-1}-prototype machine was built to evaluate the novel concept.

For power classes > 1 kW a slotted 3-phase stator with six actively controlled degrees of freedom is the topology of choice in order to compensate for the rotor forces efficiently. For the use as high-speed drive, small rotor diameters are necessary to keep the mechanical stress in the rotor at a suitable level. For these cylindrical rotors a separate AMB for axial position control, a so-called thrust AMB, is required. This AMB is usually fed by a 4-quadrant chopper which requires four power switches, thus, increasing the system costs.

The novel feeding technique avoids this additional DC supply. The BM is already equipped with two 3-phase stator windings with two star-points, either as one combined torque and suspension winding, like in [17], or as two separated torque and suspension windings, as described in [6]. With the new concept, all six stator winding terminals are used to generate torque, radial and axial force at the same time. This is realized by feeding the axial bearing with a star-point

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(a) Single star-point connection (b) Twofold star-point connection
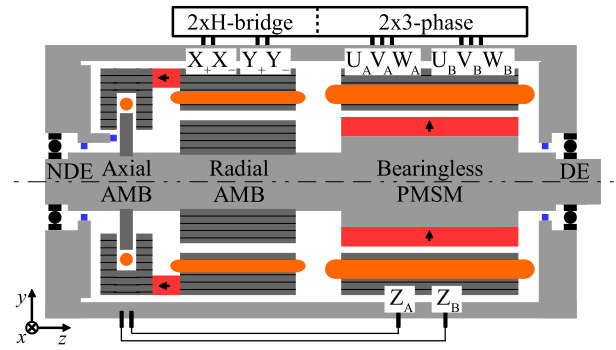

(c) Fourfold star-point connection

Fig. 1. Different topologies of feeding an axial AMB with a star-point current

Fig. 2. Schematic overview of the considered prototype bearingless PM synchronous machine

current as superposition of the three zero-sequence phase currents in both 3-phase systems. The principle of feeding an AMB with a zero-sequence current was investigated in a different form already by two research groups.

The *Institute for Electric Drives and Power Electronics*, *Johannes Kepler University Linz*, Austria, presented a PM-biased combined radial-axial magnetic bearing, one for each shaft side, where the radial force is generated by a 3-phase winding in [20]. Axial force is generated if a zero-sequence current is injected in the two bearings, weakening or enhancing the PM bias flux in the axial air-gaps on each shaft end. Further, in [4, 5] a so called axial force / torque motor is described, which generates axial force by the interaction of a zero-sequence current in the winding overhangs with a radially magnetized homopolar PM.

The second research group from *Shizuoka University* and *Tokyo Institute of Technology*, Japan, presented a technique in [1] where they feed a PM synchronous machine with a 3-phase current system, applying field-oriented control. In addition they inject a zero-sequence current and put an arbitrary AMB between the star point of the motor winding system and the neutral clamp of the pulse

width modulated voltage source inverter (compare Fig. 1a). Hence, the zero-sequence current is used to control the force in the additional AMB by superimposing the zero-sequence current with the phase currents of the machine. In [2, 3] they expand this principle to an outer-rotor 6-pole/6-slot bearingless slice motor with three actively controlled degrees of freedom (x, y, φ_z): A 3-phase 4-pole winding yields the air gap magnetic field for radial force generation. A single-phase 6-pole winding yields the torque generating stator field. This single-phase winding is fed by the star-point current of the suspension winding system, consisting of the zero-sequence currents.

In contrast to that, the here presented technique is applied to a six degrees of freedom rotor position control. The zero-sequence current is not generated between one star point and the neutral inverter terminal, but between two star points Z_A and Z_B (see Fig. 1b). This is realized by using the electric scalar potential of the two star points Z_A and Z_B [9, 18]. This way, the full DC-link voltage can be applied to the axial magnetic bearing. If two bearingless half-motors are used it is also possible to use the difference of four star-point potentials in order to control the axial current i_{ax} (Fig. 1c). This case is not considered here, since the axial voltage requirement for AMB systems is low (compare Fig. 12). Generally, the zero-sequence current feeding can also be used in higher power classes if insulated-gate bipolar transistors (IGBT) instead of the here applied metal oxide semiconductor field-effect transistors (MOSFET) are used as power switches.

2. Prototype bearingless PM synchronous machine

The BM is located on the drive end side (DE), whereas the axial thrust bearing is combined with a radial AMB as "combined" AMB [22] at the non-drive end side (NDE) of the shaft, to allow for a short axial length (Fig. 2). The bearingless permanent magnet (PM) synchronous machine prototype (Table 1) is fed by a two-level 1.2 kVA-inverter at 150 V-DC-link voltage with seven current sensors and twelve MOSFET-half-bridges, operated at a switching frequency of $f_{sw} = 33$ kHz. Eddy current sensors are used for measuring the rotor radial and axial position. The rotor angle γ_R is determined by an analogue *Hall*-sensor for speed values $n < 10000$ min^{-1} and by two 90°-shifted simple digital *Hall*-sensors for speed values $n > 10000$ min^{-1} to reduce the sensor time delay.

The pole pair count p_L of the suspension winding and p of the rotor PM fulfill the condition $p_L = p \pm 1$ [23] for generating a radial bearing force. With the combination $p/p_L = 1/2$ the PM rotor is composed of a solid magnetic stainless steel shaft, on which a solid Sm_2Co_{17} PM ring is mounted, magnetized with $2p = 2$ poles. It is protected against centrifugal forces by a shrink-fit carbon fiber
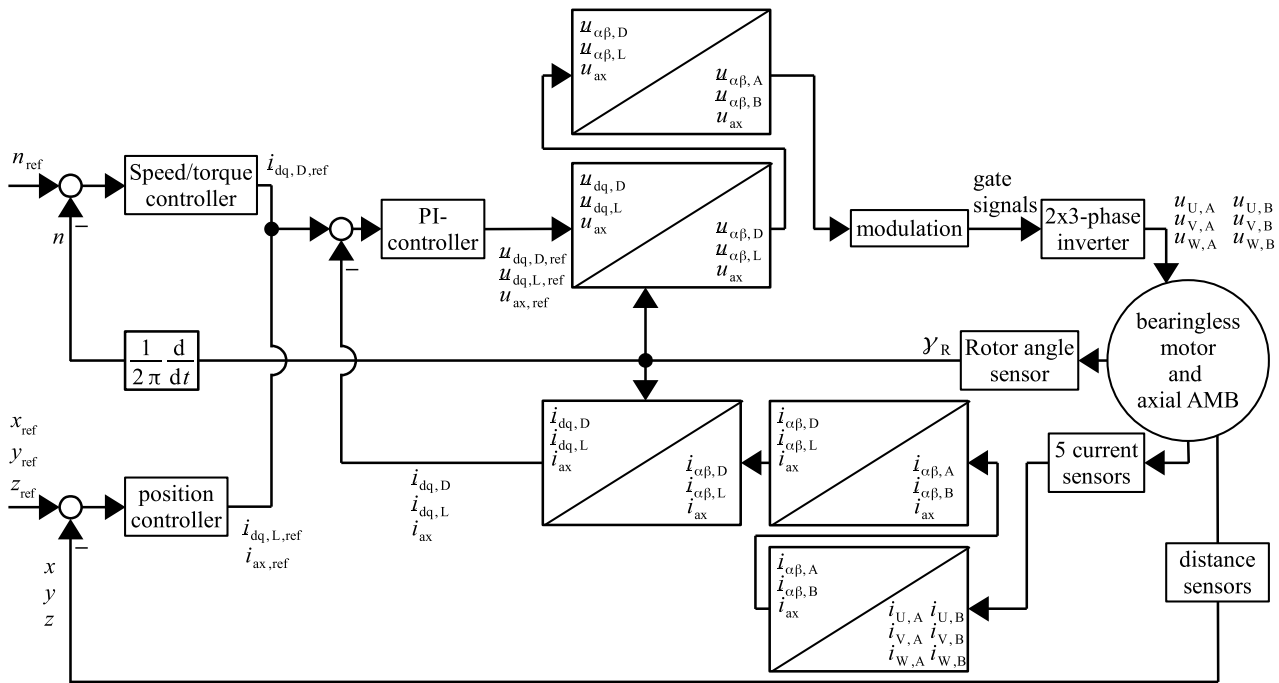
Fig. 3. Cascaded control circuit of the axial position control, the speed control and the radial position control at the drive end (i.e. the bearingless PM synchronous motor), where the focus is on the current control

Table 1. Data of the prototype bearingless PM machine and of the axial AMB

P_N/kW; n_N/min^{-1}	1; 60000
Bearingless PM synchronous machine	
Outer diameter $2 \cdot r_{s,o}$/mm	75
Active length l_{Fe}/mm	40
Air gap width δ/mm	1
Rotor mass m_R/kg	0.9
DC-link voltage U_{DC}/V	150
Slot count Q	12
Coil pitch W/τ_p	2/3
Winding factors $k_{w,D}$; $k_{w,L}$	0.835; 0.75
Phase resistance R_s/Ω	0.09
Phase inductance L_s/mH	0.25
Axial AMB	
Force-current coefficient $k_{F,z}$/$\frac{N}{A}$	33.9
Force-distance coefficient $k_{s,z}$/$\frac{N}{mm}$	−154.7
Coil resistance R_{ax}/Ω	0.9
Coil inductance L_{ax}/mH	3.5

sleeve. The twelve-slot stator is equipped with a distributed integer slot winding with $q = 2$ slots per pole and phase. This so-called "double 3-phase" winding, consisting of the systems A and B (Fig. 1b) serves as a combined drive and suspension winding. It generates two different field waves with $2p = 2$ for the torque and $2p_L = 4$ for the radial bearing force. Due to the coil pitching of 2/3 the winding factor of the third harmonic field wave component is $k_{w,3} = 0$, so that no air gap field results from the zero-sequence current system. The required stator air gap field for the torque and the suspension force generation is excited by the superposition of the phase currents in the two 3-phase systems A and B (Fig. 1b), as ex-

plained in [11]. The 4-pole (suspension) field wave with fundamental winding factor $k_{w,L}$ occurs if the two 3-phase systems A and B are fed with two "in-phase" current systems ("common-mode feeding"). The 2-pole (drive) field with fundamental winding factor $k_{w,D}$ occurs if the two 3-phase systems are fed with two current systems A and B in "phase opposition" ("differential-mode feeding").

The combined radial-axial AMB at the NDE with PM-biased magnetization is commercially available at *KEBA Industrial Automation Germany GmbH*. It is composed of a 4-pole radial magnetic bearing and an axial magnetic bearing. The radial magnetic bearing will not be considered hereafter, since it is fed by two standard 4-quadrant choppers in combination with a classical Proportional-Integral-Differential (PID) position controller. It may be omitted if a second BM is used instead [6]. The axial AMB with the resistance R_{ax}, the inductance L_{ax}, the force-current coefficient $k_{F,z}$ and the stiffness coefficient $k_{s,z}$ (Table 1) is also fed by the 3-phase inverters. We use the gravitational rotor force $m_R \cdot g = 8.8$ N as nominal axial force. For that, we need a stationary *Ohmic* voltage demand of $u_{ax} = 0.23$ V, which is a very small value when compared with the speed-dependent induced voltage which can take values up to $\hat{U}_p = 60$ V.

A standard field-oriented, decentralized position control according to [23] is used in the BM for the radial force and the torque, applying controller tuning according the principle of natural stiffness and damping. With this control, the magnetically levitated BM was operated with a turbo-charger fan as load up to its rated speed $n_N = 60000$ min^{-1} [10]. A detailed discussion of the radial and axial position control is given in [10]. The schematic control circuit is shown in Fig. 3 for the axial position control, the speed control and the radial position control at the drive end for the bearingless motor.

3. Applied modulation technique
A carrier-based pulse width modulation (PWM) is used for the feeding of the stator winding of the prototype machine. The modulation
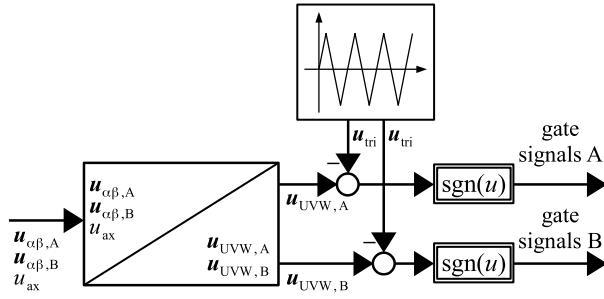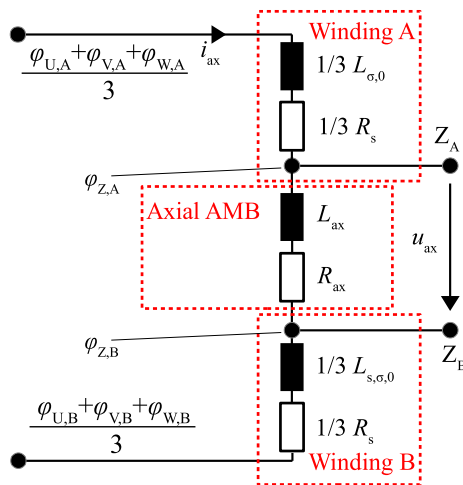
Fig. 4. Schematic representation of the classical PWM

Fig. 5. Equivalent circuit for the axial current i_{ax} (similar to [9])

Table 2. Settings for the numerical simulation in time-domain (power electronic properties at 100 C° from [14])

Solver type (*Simulink/Simscape*)	2nd order *Heun /* 1st order *Backward Euler*
DC-link voltage U_{DC}	150 V
Inverter switching frequency f_{sw} (MOSFET)	33 kHz
Step time T_{st}	303 ns = T_{sw}/100
Threshold voltage U_{th}	4 V
Drain-source resistance (on) $R_{DS,on}$	11 mΩ
Drain-source resistance (off) $R_{DS,off}$	600 kΩ
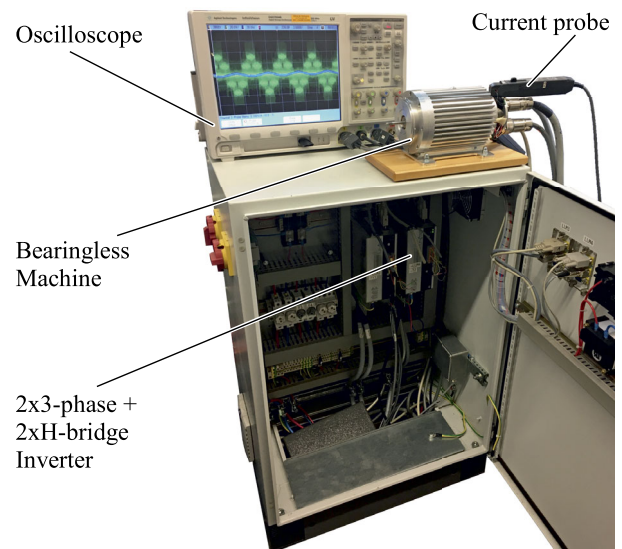
Fig. 6. Test bench for the bearingless PM synchronous prototype machine

of the reference voltage is part of the cascaded current control loop (Fig. 3). Coordinate transformations are required to control the system in the rotor-fixed *d-q*-coordinate frame. In addition to the transformations for simple 3-phase stator windings, here for the double winding systems A and B (Fig. 1b), the transformation (1) is needed due to the combined winding.

$$\begin{pmatrix} u_{\alpha,A} \\ u_{\beta,A} \\ u_{\alpha,B} \\ u_{\beta,B} \end{pmatrix} = \begin{bmatrix} 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 \\ -1 & 0 & 1 & 0 \\ 0 & -1 & 0 & 1 \end{bmatrix} \cdot \begin{pmatrix} u_{\alpha,D} \\ u_{\beta,D} \\ u_{\alpha,L} \\ u_{\beta,L} \end{pmatrix} \quad (1)$$

The symmetrical drive (subscript: D) and suspension (subscript: L) voltage systems are composed of the voltages in the 3-phase systems A and B. The "common mode feeding" of the systems A and B yields the 3-phase suspension current, whereas a "differential mode feeding" generates the 3-phase drive current system. The natural PWM adapts the mean value of a single-phase voltage over one switching period T_{sw}. Usually a triangular carrier voltage u_{tri} is compared to a reference voltage in order to determine the switching instants (Fig. 4) [13]. For this, the voltage space vector $\underline{u}_{\alpha,\beta}$ for the 3-phase systems A and B must be decomposed into three reference voltage signals $u_{U,ref}$, $u_{V,ref}$ and $u_{W,ref}$ for each of the two 3-phase systems as $u_{U,A,ref}$, $u_{V,A,ref}$ and $u_{W,A,ref}$ and $u_{U,B,ref}$, $u_{V,B,ref}$ and $u_{W,B,ref}$ (Fig. 3, 4). Often the zero-sequence voltage with $3 \cdot f_s$ is added to the sinusoidal reference signal at synchronous frequency f_s for a higher linear modulation degree m_a [13]. This is not possible here, because an artificial DC offset $\pm u_{ax,ref}/2$ is added to the above noted reference phase voltages, where $u_{ax,ref} \approx u_{ax}$ is the voltage

drop over the axial AMB (Fig. 5). This DC offset is of opposite polarity in the two 3-phase systems A and B, so that a DC voltage drop of u_{ax} occurs between the two star points Z_A and Z_B. The block diagram of this method is given in Fig. 4. The required voltage transformation (2) shows the integration of the artificial zero-sequence current feeding. It is simple to implement with a carrier-based PWM since it only results in an offset of the reference voltages.

$$\begin{pmatrix} u_{U,A} \\ u_{V,A} \\ u_{W,A} \\ u_{U,B} \\ u_{U,B} \\ u_{U,B} \end{pmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 & \frac{1}{2} \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} & 0 & 0 & \frac{1}{2} \\ -\frac{1}{2} & -\frac{\sqrt{3}}{2} & 0 & 0 & \frac{1}{2} \\ 0 & 0 & 1 & 0 & -\frac{1}{2} \\ 0 & 0 & -\frac{1}{2} & \frac{\sqrt{3}}{2} & -\frac{1}{2} \\ 0 & 0 & -\frac{1}{2} & -\frac{\sqrt{3}}{2} & -\frac{1}{2} \end{bmatrix} \cdot \begin{pmatrix} u_{\alpha,A} \\ u_{\beta,A} \\ u_{\alpha,B} \\ u_{\beta,B} \\ u_{ax} \end{pmatrix} \quad (2)$$

4. Evaluation by measurement and simulation

The proposed method was evaluated at the test bench according to Fig. 6. Time-domain simulations in *Simulink*, employing the *Simscape*-Toolbox were used with the settings according to Table 2. The necessary off-time of the high-side MOSFET due to the bootstrap
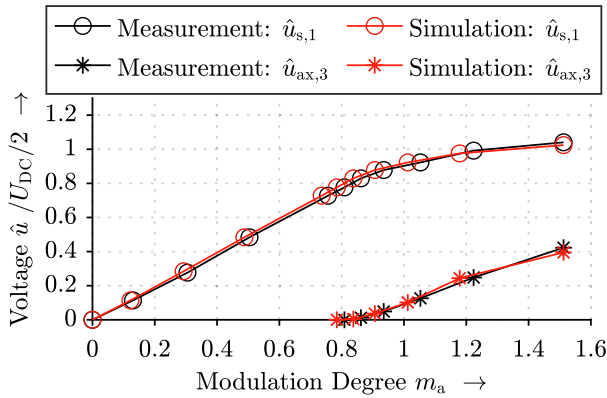
Fig. 7. Measured and simulated fundamental voltage $\hat{u}_{s,1}$ and third harmonic component of the axial voltage $\hat{u}_{ax,3}$ for varying modulation degree m_a at $U_{DC} = 48$ V

driver circuit is represented by a reduced value of $U_{DC} = 48$ V $\cdot$ 0.89 according to the measured dead time.

4.1 Operation at over-modulation

Generally a safe motor operation with the zero-sequence current operation is ensured if the inverter is not driven at its voltage limit, i.e. for modulation degrees $m_a < 1$. Operation at over-modulation ($m_a > 1$) is crucial, since not enough voltage reserve for axial current dynamics may be available. The DC axial current i_{ax} in stationary operation exhibits an additional $3 \cdot f_s$-frequent harmonic component for $m_a > 1$, since the desired change in star-point potential during the "passive" time sections of the PWM cannot balance the unwanted change in star-point potential during the "active" time sections. This has already been explained in [9].

The rated speed $n_N = 60000$ min^{-1} at $U_{DC} = 150$ V is also the maximum mechanically allowed speed and is reached with a modulation degree of $m_a = 0.85$ [10].

In order to investigate if a safe operation of the axial bearing even at over-modulation is possible, a reduced DC-link voltage of $U_{DC} = 48$ V is applied to enforce over-modulation at reduced speed n. Figure 7 shows the measured third harmonic component of the axial voltage $\hat{u}_{ax,3}$ which increases linearly with the modulation degree for $m_a > 1$. The resulting third harmonic of the axial current $\hat{i}_{ax,3}$ is given in Fig. 8a, which compares this current oscillation with $3 \cdot f_s$ at $m_a = 1.55$ between measurement and simulation for one electrical period $1/f_s$. The measured current exhibits an additional current ripple of $f_{sw} = 33$ kHz. The eddy currents in the axial AMB rotor disk decrease the inductance L_{ax} for such high switching frequencies so an increased switching current ripple occurs. The according *Fourier* voltage harmonic spectrum (Fig. 8b, 8c) shows the amplitude of the $3 \cdot f_s$-frequent component, which is approximately $\hat{u}_{ax,3} \approx 10$ V. Side-bands close to $2 \cdot f_{sw}$ exhibit rather small values ($< U_{DC}/8$), when compared to the classical 4-quadrant chopper operation [19]. The increase of the $3 \cdot f_s$-frequent current component $\hat{i}_{ax,3}$ with increasing modulation degree is shown in Fig. 9, proving a good fit between measurement and simulation.

This $3 \cdot f_s$-current component is not crucial for the axial position control since the time constant of the mechanical system is much bigger than the current oscillation period $1/(3 \cdot f_s)$. This is shown by (3): For the given configuration the ripple in z-position is < 1 μm even for $\hat{i}_{ax,3} = 1$ A at $n = 25200$ min^{-1}. Besides that also the eddy currents in the solid rotor part of the axial AMB help to damp such
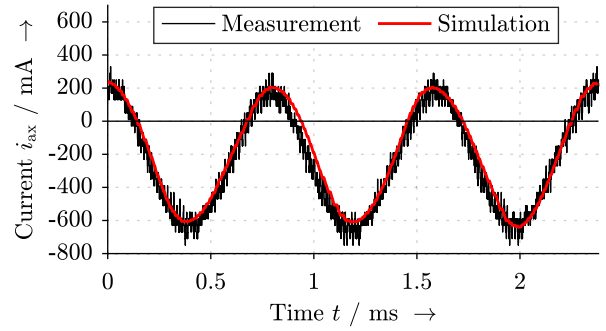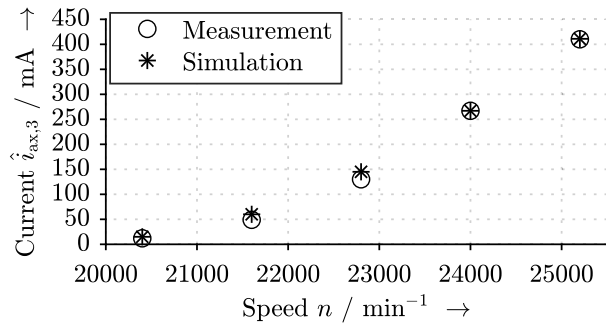

(a) Measurement versus simulation
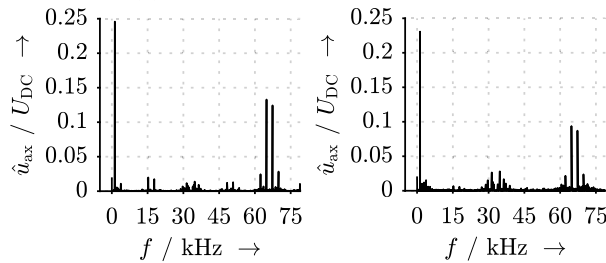
(b) Measurement   (c) Simulation

Fig. 8. Measured and simulated axial AMB current i_{ax}, measured (b) and simulated (c) harmonic spectrum of the axial AMB voltage u_{ax} at $m_a = 1.55$ and $n = 25200$ min^{-1}

Fig. 9. Measured and simulated $3 \cdot f_s$-frequent axial current component $\hat{i}_{ax,3}$ for varying speed at $U_{DC} = 48$ V

unwanted $z(t)$-oscillations.

$$\ddot{z}(t) = \frac{F_z(t)}{m_R} = \frac{k_{F,z} \cdot \hat{i}_{ax,3}}{m_R} \cdot \cos(3 \cdot \omega_s \cdot t)$$

$$z(t) = -\frac{k_{F,z} \cdot \hat{i}_{ax,3}}{m_R} \cdot \frac{1}{(3 \cdot \omega_s)^2} \cdot \cos(3 \cdot \omega_s \cdot t) \quad (3)$$

4.2 Position control dynamics

The benchmark for the here presented novel axial position control performance is the classical and commercially available 4-quadrant chopper operation. In Fig. 10 a position step responses to a change in reference position of $\Delta z = 20$ μm at different speed, i.e. at three different modulation degrees $m_a = 0$, 0.84, 1.55 is shown for the 4-quadrant chopper and the zero-sequence axial current operation in comparison. No significant difference between 4-quadrant chopper operation and zero-sequence current feeding in the settling behavior of the position signal can be recognized. The zero-sequence

(a) 4-quadrant chopper

(b) Zero-sequence current

(c) 4-quadrant chopper

(d) Zero-sequence current

(e) 4-quadrant chopper

(f) Zero-sequence current
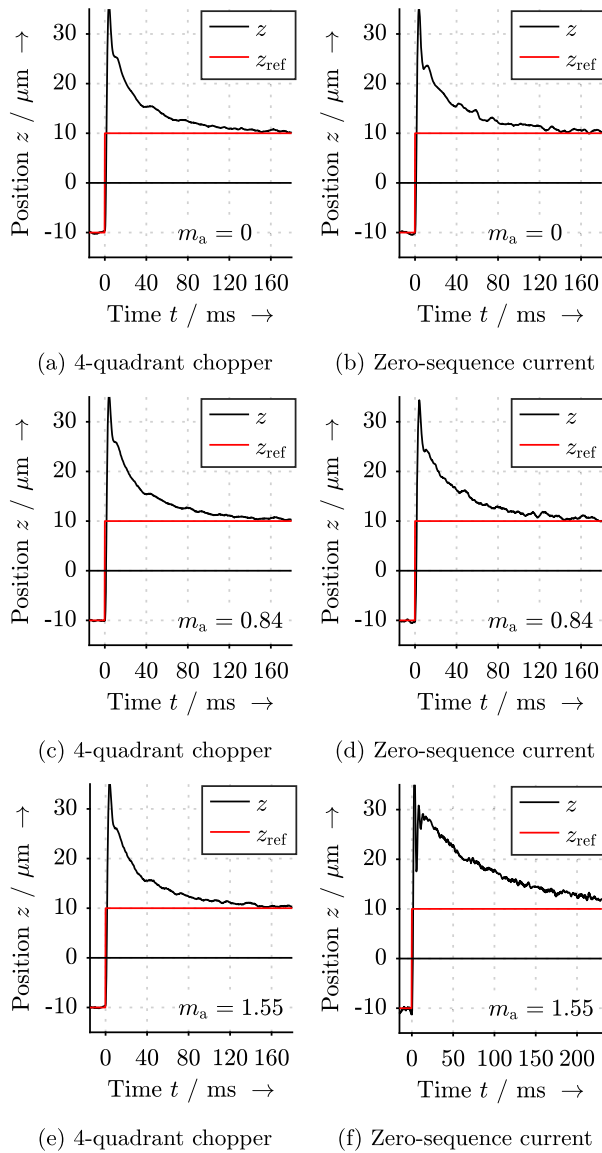
Fig. 10. Comparison of DC-chopper and zero-sequence current operation of the axial AMB: Measured axial displacement for a step response of $\Delta z = 20$ μm for different modulation degrees m_a

(a) 4-quadrant chopper

(b) Zero-sequence current
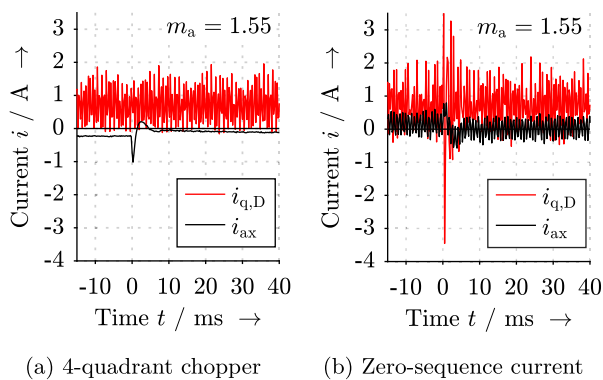
Fig. 11. Comparison of DC-chopper and zero-sequence current operation of the axial AMB: Measured axial AMB current i_{ax} and "q-current-control" drive current $i_{q,D}$ for a step response of $\Delta z = 20$ μm at $m_a = 1.55$

(a) Zero-sequence current, $m_a = 0.84$

(b) Zero-sequence current, $m_a = 1.55$
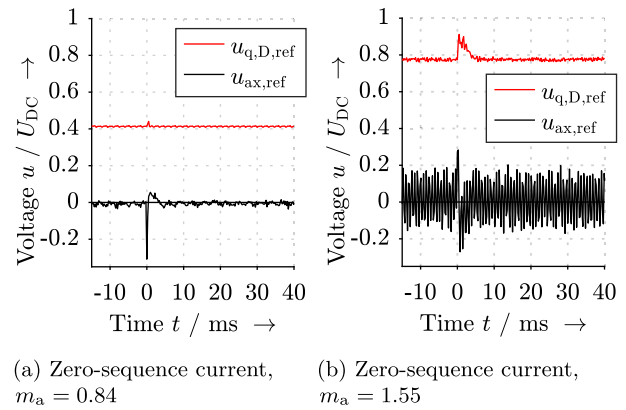
Fig. 12. Measured reference voltages $u_{q,D,ref}$ and $u_{ax,ref}$ at zero-sequence current operation for a step response of $\Delta z = 20$ μm for two different modulation degrees m_a

current based position control dynamics do not depend on the inverter modulation degree m_a. Only a slight oscillation in z is visible in Fig. 10f for $m_a = 1.55$.

The Figures 11a, 11b show the axial current response and the torque generating q-current $i_{q,D}$ at the moment of the reference signal step z_{ref}. In contrast to the 4-quadrant chopper operation, the zero-sequence current feeding (Fig. 11b) shows a coupling between the drive current $i_{q,D}$ and the axial current i_{ax} as an oscillation of $i_{q,D}$ at the moment of the step in i_{ax}. This is not a magnetic coupling. It only occurs at over-modulation. This is because the high value of $u_{s,ref}$ together with the superimposed half axial voltage demand $u_{ax,ref}/2$ increase the maximum value of one half-wave of voltage reference signal to values > $U_{DC}/2$. The maximum value of the other half-wave is smaller by $u_{ax,ref}/2$. This influences the harmonic content of the phase voltages and currents. Low-frequent ($f < 10 \cdot f_s$) current harmonics occur from voltage harmonics which are in phase opposition in the winding systems A and B, since the axial bearing voltage is given by the difference between the star point potentials in Z_A and Z_B. This "coupling" does only affect the drive current, but not the suspension current for the radial force because the latter is only influenced by voltage harmonics of A and B in "common mode operation". Even at stationary operation, these additional ripples of $i_{q,D}$ are visible in Fig. 11b when compared to Fig. 11a.

Generally, the required axial current i_{ax} takes very low values due to the big force-current coefficient $k_{F,z}$ together with the low axial thrust due to the turbo-charger rotor (Table 1). Even in transient situations, there is only a low axial voltage needed ($u_{ax,ref} < U_{DC}/4$), which is depicted in Fig. 12. It also shows that the reference voltage ripple in $u_{ax,ref}$ as well as in $u_{q,D,ref}$ increases at over-modulation in order to compensate for the vanishing voltage reserve.

5. Conclusion

A novel technique for feeding the axial active magnetic bearing in a bearingless PM synchronous machine is presented, so that no 4-quadrant chopper is needed. Instead, the magnetic bearing coil is connected to the two star points of the double 3-phase stator winding in the machine. Simulations and measurements show that this technique is excellently applicable to magnetic bearing applications due to a small voltage demand in the axial active magnetic bearing. The position control dynamics are equal to those of the classical 4-quadrant chopper operation. They do not depend on the inverter modulation degree. At over-modulation an axial current ripple with three-times fundamental frequency occurs which is not harmful

since this frequency is much higher than the inverse of the mechanical time constant of the rotor.

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