## DC Bus Stabilization of Li-Ion Battery Based Energy Storage for a Hydrogen/Solar Power Plant for Autonomous Network Applications

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Abstract—This paper presents an energy management approach for a hybrid energy system comprised of a photovoltaic (PV) array and a polymer electrolyte membrane fuel cell (PEMFC). A single storage device, i.e., a Li-ion battery module, is used in the proposed structure. Linear proportional-integral (PI) and nonlinear flatness-based controllers for dc bus stabilization for power plants are compared. To verify the control approaches, a hardware system is realized with analog circuits for the PV, FC, and battery current control loops (inner controller loops) and with numerical calculation (dSPACE) for the external energy control loops. Experimental results with small-scale devices [namely, a PV array (800 W, 31 A), a PEMFC (1200 W, 46 A), and a Li-ion battery module (11.6 Ah, 24 V)] illustrate the excellent energy management scheme during load cycles, and the nonlinear differential flatness-based control was determined to provide improved dc bus regulation relative to a classical linear PI control method.

*Index Terms*—Flatness control, fuel cells (FCs), Li-ion battery, nonlinear system, photovoltaic (PV).

#### I. INTRODUCTION

To FACE the reduced use of fossil fuel resources and the rise of the demand for electricity, renewable power generation approaches have attracted considerable attention. After

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a long period of development, photovoltaic (PV) generators appear to be the most promising candidates. According to the motivation policies in many countries to help PV development and considering the reduction of the costs, expansion of PV systems is expected to continue in the near future [1].

However, the power output of PV generators is not reliable. For example, the power output of PV generators is not available during cloudy conditions or during the night. Other renewable sources, such as fuel cells (FCs), may be more reliable than PV generators but have economic issues [2]. As a result, two or more renewable-energy sources are required to guarantee a reliable and cost-effective power solution. Such a combination of different types of energy sources into a system is known as a hybrid power system [3], [4].

For autonomous network applications, an energy storage device is compulsory. Modern Li-ion batteries are increasingly being used in high-power applications [5], [6]. In this paper, a Li-ion battery module is considered as an energy storage in a proposed solar/hydrogen power plant.

Control, stability, and optimization of distributed generation systems remain an essential area of research. This paper presents a performance comparison between a classical linear control and a differential flatness-based control for dc grid stabilization of a hydrogen/solar hybrid power source with a Li-ion battery energy storage device. The results of this study will provide an important contribution to the field of power electronics applications. In Section II, the PV, FC, and battery converter structures of multisegment power converters are presented in detail, including a mathematical model of the power plant that includes such power converters. The control laws based on the linear proportional-integral (PI) control and the differential flatness property in Section III will be explained in detail. The experimental results revealed the system performances of the linear and nonlinear control laws. The summary and conclusion are presented in Section IV.

#### II. HYBRID POWER PLANT

#### A. System Configuration Studied

The proposed power converters structure of a renewable hybrid power plant is portrayed in Fig. 1. The battery converter has four-phase parallel bidirectional converters (two-quadrant converters), and the PV and FC converters have four-phase parallel boost converters.

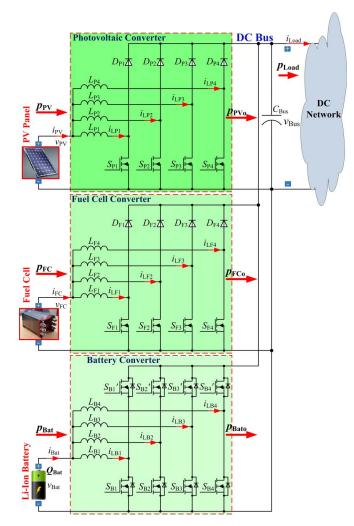


Fig. 1. Proposed power converter structure of a power plant supplied by a PV, an FC, and a Li-ion battery.

For optimization of the power converters, these converters are connected in parallel using an interleaved switching technique. An interleaved system can realize savings in filtration and energy storage requirements, resulting in greatly improved power conversion densities without sacrificing efficiency [7].

For reasons of safety and dynamics, the PV, FC, and battery converters are generally regulated principally by inner current regulation loops based on the classical cascade control structure [8], [9]. The dynamics of inner control loops are much faster than those of outer control loops, which are described shortly. Consequently, the PV current  $i_{PV}$ , the FC current  $i_{FC}$ , and the battery current  $i_{\mathrm{Bat}}$  are estimated to track completely their setpoints of  $i_{PVREF}$ ,  $i_{FCREF}$ , and  $i_{BatREF}$ , respectively.

#### B. Model of the Power Plant

We estimate that the PV, FC, and battery currents track their set-point values perfectly. Thus, the inner control loops of the PV, FC, and battery powers can be estimated as a unity gain. The PV power set-point  $p_{PVREF}$ , the FC power set-point  $p_{\text{FCREF}}$ , and the batter power set-point  $p_{\text{BatREF}}$  are

$$p_{\text{PVREF}} = p_{\text{PV}} = v_{\text{PV}} \cdot i_{\text{PV}}$$
 (1)

$$p_{\text{FCREF}} = p_{\text{FC}} = v_{\text{FC}} \cdot i_{\text{FC}} \tag{2}$$

$$p_{\text{BatREF}} = p_{\text{Bat}} = v_{\text{Bat}} \cdot i_{\text{Bat}}.$$
 (3)

Hence, the dc bus capacitive energy  $y_{\text{Bus}}$  can be written as

$$y_{\rm Bus} = \frac{1}{2} C_{\rm Bus} v_{\rm Bus}^2. \tag{4}$$

We suppose that there are only static losses in these converters, in which  $r_{PV}$ ,  $r_{FC}$ , and  $r_{Bat}$  represent the only static losses in the PV, the FC, and the battery converters, respectively. As shown in Fig. 1, the derivative of the dc bus capacitive energy  $y_{\text{Bus}}$  is given versus  $p_{\text{PVo}}$ ,  $p_{\text{FCo}}$ ,  $p_{\text{Bato}}$ , and  $p_{\text{Load}}$  by the following differential equation:

$$\dot{y}_{\text{Bus}} = p_{\text{PVo}} + p_{\text{FCo}} + p_{\text{Bato}} - p_{\text{Load}} \tag{5}$$

where

$$p_{\text{PVo}} = p_{\text{PV}} - r_{\text{PV}} \left(\frac{p_{\text{PV}}}{v_{\text{PV}}}\right)^2 \tag{6}$$

$$p_{\rm FCo} = p_{\rm FC} - r_{\rm FC} \left(\frac{p_{\rm FC}}{v_{\rm FC}}\right)^2 \tag{7}$$

$$p_{\text{FCo}} = p_{\text{FC}} - r_{\text{FC}} \left(\frac{p_{\text{FC}}}{v_{\text{FC}}}\right)^{2}$$

$$p_{\text{Bato}} = p_{\text{Bat}} - r_{\text{Bat}} \left(\frac{p_{\text{Bat}}}{v_{\text{Bat}}}\right)^{2}$$
(8)

$$p_{\text{Load}} = v_{\text{Bus}} \cdot i_{\text{Load}} = \sqrt{\frac{2y_{\text{Bus}}}{C_{\text{Bus}}}} \cdot i_{\text{Load}}.$$
 (9)

#### III. ENERGY MANAGEMENT

In the studied system shown in Fig. 1, there are two voltage variables, or two energy variables, to be controlled.

- 1) First, the dc bus energy  $y_{\rm Bus}$  is the most significant variable.
- 2) Second, the battery energy capacity  $Q_{\text{Bat}}$  is the next most important.

Thus, based on the recent works [10], exploitation of an energy storage device, which represents the fastest energy source in the studied system, is proposed to deliver the energy for the dc bus. Thus, the PV and FC provide energy for the battery cells to keep them charged, so that the battery is operated as the highest dynamic power source to supply the microcycles and the fast dynamic power supply. The FC generator functions as the lowest dynamic power source. The FC current or power slope must be limited to avoid the fuel starvation phenomenon [10]. The FC limited power slope was experimentally determined to be the highest slope of an operating FC system, where no fuel starvation occurs to improve its lifetime [10].

#### A. DC Bus Stabilization

The performance comparison between a classical linear control and a nonlinear control based on a differential flatness approach for dc link regulation of a hybrid power plant is presented as follows.

1) Linear Control: First, the classic linear control approach presented in [10] was studied on the power plant. A dc bus capacitive energy set-point was defined by  $y_{\text{BusREF}} (= y_{\text{REF}})$ . A PI control algorithm is given by

$$p_{\text{BatREF}} = K_P(y_{\text{BusREF}} - y_{\text{Bus}}) + K_I \int_0^t (y_{\text{BusREF}} - y_{\text{Bus}}) d\tau$$
(10)

where  $K_I$  and  $K_P$  are the controller parameters.

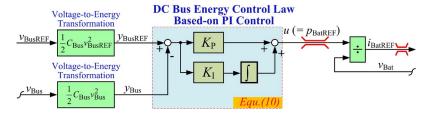


Fig. 2. DC bus energy stabilization based on linear PI control.

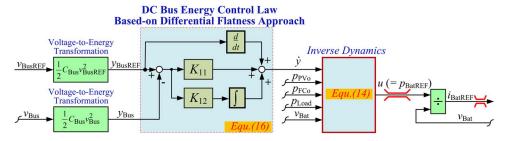


Fig. 3. DC bus energy stabilization based on differential flatness approach.

Because the inner battery current loop is much faster than the external dc bus energy control [such that it can be estimated as a pure unity gain; refer to (5)], the open-loop transfer function associated with the dc bus energy stabilization can be expressed as

$$\frac{y_{\text{Bus}}(s)}{y_{\text{BusREF}}(s)} = \underbrace{\left(K_P + \frac{K_I}{s}\right)}^{\text{PI-Controller}} \cdot \underbrace{\frac{E_{\text{Bus}}/p_{\text{Bat}}}{1}}_{E_{\text{Bus}}/p_{\text{Bat}}} \cdot \underbrace{\frac{p_{\text{Bat}}/p_{\text{BatREF}}}{1}}_{T_p s + 1}$$
(11)

where  $T_p$  is the time constant of an equivalent first-order function of the inner battery power control loop. The PI controller generates a battery power reference  $p_{\rm BatREF}$ , as presented in Fig. 2. This signal is divided by the measured battery voltage  $v_{\rm Bat}$ , which yields battery current reference  $i_{\rm BatREF}$  for the inner control loop.

2) Nonlinear Differential Flatness Control [11]–[13]: Second, the flat output y, control variable u, and state variable x are defined as follows:

$$y = y_{\text{Bus}}$$
  $u = p_{\text{Bat}}$   $x = v_{\text{Bus}}$ . (12)

From (4), the state variables x can be expressed as

$$x = \sqrt{\frac{2y}{C_{\text{Bus}}}} = \varphi(y). \tag{13}$$

From (5), the control variables u can be estimated from the flat output y and its time derivatives

$$u = 2p_{\text{BatMax}} \left[ 1 - \sqrt{1 - \left( \frac{\dot{y} + \sqrt{\frac{2y}{C_{\text{Bus}}}} \cdot i_{\text{Load}} - p_{\text{PVo}} - p_{\text{FCo}}}{p_{\text{BatMax}}} \right)} \right]$$

$$= \psi(y, \dot{y}) = p_{\text{BatREF}}$$
(14)

where

$$p_{\text{BatMax}} = \frac{v_{\text{Bat}}^2}{4r_{\text{Bat}}}.$$
 (15)

In this case,  $p_{\mathrm{BatMax}}$  is the limited maximum power of the battery source.

Thus, it is clear that  $x = \varphi(y)$  and  $u = \psi(y, \dot{y})$ ; consequently, the proposed reduced order system can be estimated as a differential flatness system [12]–[15].

A feedback control law that performs exponential asymptotic tracking is defined by [16]–[18]

$$(\dot{y} - \dot{y}_{\text{REF}}) + K_{11}(y - y_{\text{REF}}) + K_{12} \int (y - y_{\text{REF}}) d\tau = 0$$
 (16)

where the controller parameters  $(K_{11}, K_{12})$  are chosen as the roots of the closed-loop characteristic polynomial.

The studied nonlinear control law of the dc bus regulation is portrayed in Fig. 3; it is similar to the classical linear control law. The key difference between the classical linear control and the differential flatness control is that the inverse dynamic term, known as the flatness property, is present in the control system.

3) Performance Evaluation Between Linear Control and Nonlinear Control Laws for DC Bus Regulation: To validate the control methods, the test bench was implemented in the laboratory (refer to Appendix A). To give a practical comparison between the control methods, the parameters of the linear controller  $K_P$  and  $K_I$  were tuned to obtain the best possible performance. The symmetrical optimum (SO) [19], [20] is studied. The method has well-established tuning rules and has a good disturbance rejection. The resulting control system provides an overshoot of approximately 43%, a settling time of approximately  $16.3 \cdot T_p$ , and a phase margin (PM) of 30–60°. In this case,  $K_P = 150 \text{ WJ}^{-1}$ , and  $K_I = 5500 \text{ (Js)}^{-1}$ , so that the desired PM was 30°. If  $K_P = 80 \text{ WJ}^{-1}$  and  $K_I =$  $1500 \text{ W(Js)}^{-1}$ , then the desired PM was  $55^{\circ}$ . For the differential flatness approach, the nonlinear controller gains used were  $K_{11} = 320 \text{ rad} \cdot \text{s}^{-1}$  and  $K_{12} = 6400 \text{ rad}^2 \cdot \text{s}^{-2}$ , so that the system damping ratio  $\zeta$  was equal to 2 and the natural frequency  $\omega_n$  was equal to 80 rad  $\cdot$  s<sup>-1</sup>.

Fig. 4 shows the experimental results obtained for both controllers during the large load step. The oscilloscope waveforms show the dc bus voltage dynamics to the load power demanded

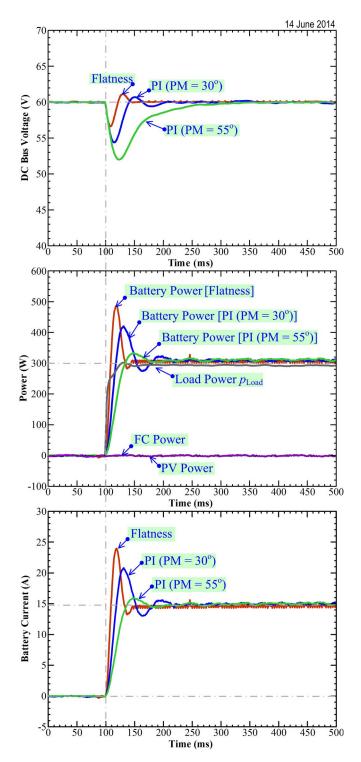


Fig. 4. Comparison of the linear PI control law with a flatness-based control law during a load step.

(disturbance) from 0 to 300 W, whereas the dc bus was loaded with an electronic load. It shows the following:

- 1) the dc bus voltage at different controllers;
- 2) the load power;
- 3) the battery power at different controllers.

The initial state was the no-load power state, the storage device was fully charged, and the dc bus voltage reference was set to  $60~\rm V (=v_{\rm Bus})$ ; as a result, the FC, PV, and battery powers

were zero. However, to scrutinize the dc bus voltage regulation by the battery bank, the FC and PV powers are set manually to zero. At  $t=100\,$  ms, the load is stepped to its final level of 300 W. One may observe that, although the dynamic response of the linear control algorithm could be improved relative to that shown in the figures, this enhancement comes at the expense of a reduced stability boundary (increasing overshoot and oscillation). Thus, the flatness-based control exhibits good stability and optimum response of the dc bus stabilization.

In conclusion, in the proposed approach, the knowledge of the dynamic behavior of the system enables generation of the battery power reference  $(p_{\text{BatREF}})$  given by (14). Thus, if the system is perfectly known, an open-loop control can be generated by (14). If the reference trajectory is given by  $[u=\psi(y_{\text{REF}},\dot{y}_{\text{REF}})]$ , then the control law introduced in (16) has the objective to compensate modeling errors and ensure good tracking performances  $[u=\psi(y_{\text{REF}},\dot{y})]$ . Therefore, in comparison with a PI controller, the dynamic behavior achieved via the flatness approach is improved. Indeed, for the PI controller, after disturbances, the control must find the new value of the power reference at this new operating point without information given by the relation (14). Thus, with the flatness-based approach, the convergence via the new operating point is faster.

#### B. Charging Li-Ion Battery

To charge the battery, the steady-state power balance (without losses) may be written as

$$p_{\text{Bat}} + p_{\text{Load}} = \overbrace{p_{\text{PV}} + p_{\text{FC}}}^{p_{\text{Total}}}.$$
 (17)

The proposed special control structure for charging the battery is presented in Fig. 5. The familiar battery SOC estimation is defined as

$$SOC(t) = SOC_o + \frac{1}{Q_{Bat}} \int_{t_-}^t i_{Bat}(\tau) d\tau$$
 (18)

where  $SOC_o$  is the known battery SOC (in percent) at the time  $t_o$  and  $Q_{\rm Bat}$  is the rated capacity (in ampere hour). The capacity versus current characteristics of the SAFT Li-ion battery (model: MP 174865) are illustrated in Fig. 6, which is also used in the test bench.

The simple method to charge the battery is via the constant current approach (maximum charging current  $I_{\rm BatCH}$  is set to approximately  $Q_{\rm Bat}/2-Q_{\rm Bat}/5$ ; for a Li-ion battery, it can be set at  $I_{\rm BatCH}=Q_{\rm Bat}$ ) when the SOC is far from the state of charge reference SOC<sub>REF</sub>, the use of a reduced current when the SOC is near SOC<sub>REF</sub>, and zero when the SOC is equal to SOC<sub>REF</sub>.

According to this state of charge algorithm, a proportional (P) controller is sufficient to generate a battery power demand  $p_{\text{BatDEM}}$ . The P-controller gain  $(K_2)$  can be sized as

$$K_2 = \frac{P_{\text{BatMax}}}{\Delta \text{SOC}} \tag{19}$$

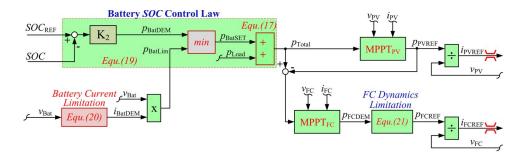


Fig. 5. Battery charging algorithm.

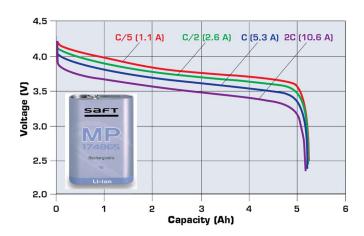


Fig. 6. Typical Li-ion battery cell: capacity versus current at +20  $^{\circ}$ C based on SAFT Technology (model: MP 174865).

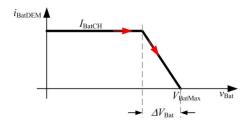


Fig. 7. Battery charging limitation function.

where  $\Delta SOC$  is the defined band of the battery SOC and  $P_{\rm BatMax}$  is the defined maximum battery power charging. Referring to Fig. 7,  $p_{\rm BatSET} = \min[p_{\rm BatREF}, p_{\rm BatLim}]$ , in which  $p_{\rm BatLim}$  is generated by  $v_{\rm Bat} \times i_{\rm BatDEM}$ . Thus,  $i_{\rm BatDEM}$  is the charging limitation function (Fig. 7) generated by

$$i_{\mathrm{BatDEM}} = I_{\mathrm{BatCH}} \cdot \min\left(1, \frac{V_{\mathrm{BatMax}} - v_{\mathrm{Bat}}}{\Delta V_{\mathrm{Bat}}}\right)$$
 (20)

where  $V_{\rm BatMax}$  is the defined maximum battery voltage and  $\Delta V_{\rm Bus}$  is the defined voltage band.

Therefore, the system generates a total power reference  $p_{\rm Total}$ . First,  $p_{\rm Total}$  is considered as the PV power. The power must be limited in level, within an interval of the maximum of  $p_{\rm PVMax}$  (maximum power point tracking MPPT<sub>PV</sub> [21]–[24]) and the minimum of  $p_{\rm PVMin}$  (set to 0 W). Second, the difference between the total power reference  $p_{\rm Total}$  and the PV

power reference  $p_{\rm PVREF}$  is the FC power. The power must be limited in level, within an interval of the maximum  $p_{\rm FCMax}$  and the minimum  $p_{\rm FCMin}$  (set to 0 W), and limited in dynamics with respect to the constraints that are associated with the FC [25]–[29]. Then, to limit the transient FC power, a second-order filter is used, such that the power demand  $p_{\rm FCDEM}$  from MPPT<sub>FC</sub> is always limited by

$$p_{\text{FCREF}}(t) = p_{\text{FCDEM}}(t) \cdot \left(1 - e^{-\frac{t}{\tau_1}} - \frac{t}{\tau_1} e^{-\frac{t}{\tau_1}}\right)$$
 (21)

where  $\tau_1$  is the control parameter.

### C. System Performance of a Hybrid Power Source Control Based on the Flatness Control Approach

In this section, the dc bus energy regulation based on the differential flatness estimation is performed. Fig. 8 presents the waveforms that are obtained during the long load cycles. The dc bus voltage reference and the battery SOC reference are set at 60 V and 100%, respectively. The maximum FC power  $P_{\rm FCMax}$  is set at 500 W for a small-scale test. The experimental tests were performed by connecting a dc bus voltage of 60 V loaded by an electronic load. The parameters associated with the system regulation loops are summarized in Table I.

The load will be varied to emulate the real environment: light load, overload, and transient transitions. The graph shows the dc bus voltage, the PV voltage, the FC voltage, the load power, the battery power, the PV power, the FC power, the battery current, the battery voltage, and the battery SOC.

It should be noted that the results shown in Fig. 8 are obtained at a sampling rate of 25~S/s (=  $10\,000~\text{points}$  stored or a sampling time of 40~ms). This will limit the observation of the dc bus voltage perturbations. However, the dc bus voltage perturbations were clearly visible for the first case study shown in Fig. 4 since the sampling rate was 10~kS/s (= 5000~points stored or a sampling time of 0.1~ms).

In the initial state, the small load power is equal to 100 W, and the battery is full of charge, i.e.,  $SOC = SOC_{REF} = 100\%$ ; as a result, the PV source supplies power for the load of 100 W (because, if  $p_{PVMax} > p_{PVDEM}$ , then  $p_{PVREF} = p_{PVDEM}$ ), and the FC and battery powers are zero.

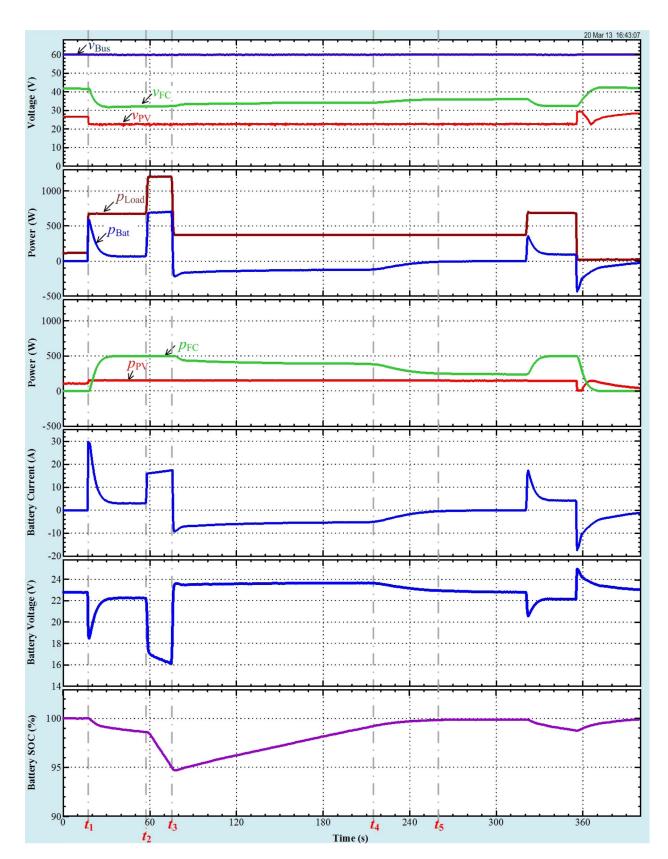


Fig. 8. Experimental results: power plant response during load cycles.

At  $t_1(=18~{\rm s})$ , the load power steps from 100 W to the constant power of 700 W. The following observations are made.

- 1) The battery supplies most of the transient step load.
- 2) At the same time, the PV power increases to a maximum power point (MPP) of approximately 150 W, which is

TABLE I SYSTEM PARAMETERS

$v_{ m BusREF}$	60	V
$SOC_{REF}$	100%	
$K_{11}$	320	rad:s <sup>-1</sup>
$K_{12}$	6,400	rad <sup>2</sup> ·s <sup>-2</sup>
$K_2$	200	
$ au_1$	5	S
$\Delta V_{ m Bat}$	1	V
$V_{\mathrm{BatMax}}$	25	V
$I_{\mathrm{BatCH}}$	10	A
$P_{\text{FCMax}}$	500	W
$C_{\mathrm{Bus}}$	8,000	$\mu F$
$r_{\rm FC}$	0.13	Ω
$r_{ m PV}$	0.14	Ω
$r_{\mathrm{Bat}}$	0.18	Ω

limited by the maximum power point tracker (MPPT) because, if  $p_{\rm PVMax} < p_{\rm PVDEM}$ , then  $p_{\rm PVREF} = p_{\rm PVMax}$ . Due to a cloudy sky during the test bench validation, the MPP is only 150 W instead of its rated PV power of 800 W.

- 3) Simultaneously, the FC power increases with limited dynamics to the limited maximum power of 500 W.
- 4) The input from the battery, which supplies most of the transient power that is required during the stepped load, slowly decreases, and the unit remains in a discharge state after the load step because the steady-state load power (700 W) is greater than the total power supplied by the PV and FC.

At  $t_2 (= 58 \text{ s})$ , the large load power steps from 700 W to the constant power of 1200 W. The following clarifications are made.

- 1) The PV and FC powers are at the maximum power levels.
- 2) The battery is deeply discharged to deliver power to the load power demand.

Subsequently, at  $t_3 (=76~{\rm s})$ , the load power steps from 1200 to 350 W, and  ${\rm SOC}_{\rm REF} (=100\%) > {\rm SOC} (=95\%)$ . As a result, the battery changes its state from discharging to charging, demonstrating the three phases.

- 1) First, the PV still supplies its limited maximum power. The FC power is intelligently reduced for driving the load and for charging the battery.
- 2) Second, at  $t_4 (= 215 \text{ s}, \text{SOC} = 99\%)$ , the battery is nearly charged at 100%, which subsequently reduces the charging power. As a result, the FC power is reduced.
- 3) Third, at  $t_5 (= 260 \text{ s}, \text{SOC} = 100\%)$ , the battery is fully charged. As a result, only the PV and FC generators supply power for the load of 350 W. The battery power is zero.

One can observe that the power plant is always energy balanced  $(p_{\rm Load}=p_{\rm PV}+p_{\rm FC}+p_{\rm Bat})$  when using the proposed original control algorithm.

#### IV. CONCLUSION

The primary objectives of this paper were to study the dc bus stabilization based on either linear or nonlinear control



Fig. 9. Photograph of the experimental setup in the laboratory (Renewable Energy Research Centre, KMUTNB).

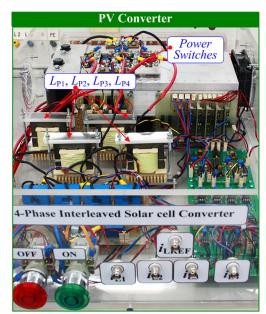
approach for the Li-ion battery storage device coupled to a renewable-energy power plant and to study how to charge the Li-ion battery using the special control algorithm. The nonlinear differential flatness approach of a hydrogen/solar power plant of the load rejection transient offers superior de link regulation. Nevertheless, the classical PI controller, being a current standard industrial controller solution, will continue to be compared to various new control algorithms that will emerge in the future.

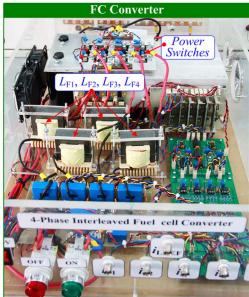
For the classical linear control, there is no load current measurement. Conversely, the nonlinear flatness-based control requires a load current measurement to estimate the load power to obtain the differential flatness property. For future works, a load observer will be used to avoid the measurement of the load current; in addition, a loss observer will be used for online real-time calculation.

# APPENDIX TEST BENCH DESCRIPTION OF THE POWER PLANT

The prototype test bench of the studied power plant was implemented in the laboratory, as illustrated in Fig. 9. The prototype PV converter of 2 kW, the FC converter of 2 kW, and the battery converter of 4 kW, as demonstrated in Fig. 10 were realized in the RERC laboratory. The details of the real power sources and Li-ion battery module are presented in Table II. Note that the PV array is installed on the roof of the laboratory building (Fig. 9), so that the solar energy production is directly from the sun.

The PV, FC, and battery current regulation loops were realized by analog circuits as inner current control loops. The control algorithms (external control loops), which generate the current references, were implemented in the real-time card





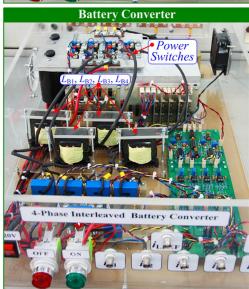


Fig. 10. Photograph of the implemented power converters.

TABLE II SPECIFICATIONS OF THE LI-ION BATTERY AND THE POWER SOURCES

Fuel Cell System (by Ballard Power Systems Inc):			
Rated Power	1,200	W	
Rated Current	46	A	
Rated Voltage	26	V	
Photovoltaic Array (by Ekarat Solar Company):			
Number of Panels in Parallel	4		
Panel Open Circuit Voltage	33.5	V	
Panel Rated Voltage	26	V	
Panel Rated Current	7.7	A	
Panel Rated Power	200	W	
Array Rated Power	800	W	
Li-Ion Battery Bank (by SAFT Technologies Company):			
Number of Cells in Series	6		
Number of String in Parallel	2		
Cell Maximum Voltage	4.2	V	
Bank Capacity ( $C_{\text{Bat}}$ )	11.6	Ah	
Bank Maximum Voltage	24	V	

dSPACE DS1104 (as presented in Fig. 9) through the mathematical environment of MATLAB–Simulink.

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