

## Corrigendum: Algorithm 730 An Implementation of a Divide and Conquer Algorithm for the Unitary Eigenproblem

G. S. AMMAR Northern Illinois University

L. REICHEL Kent State University and D. C. SORENSEN Rice University

We present a FORTRAN implementation of a divide-and-conquer method for computing the spectral resolution of a unitary upper Hessenberg matrix H. Any such matrix H of order n, normalized so that its subdiagonal elements are nonnegative, can be written as a product of n-1 Givens matrices and a diagonal matrix. This representation, which we refer to as the Schur parametric form of H, arises naturally in applications such as in signal processing and in the computation of Gauss-Szegö quadrature rules. Our programs utilize the Schur parametrization to compute the spectral decomposition of H without explicitly forming the elements of H. If only the eigenvalues and first components of the eigenvectors are desired, as in the applications mentioned above, the algorithm requires only  $O(n^2)$  arithmetic operations. Experimental results presented indicate that the algorithm is reliable and competitive with the general QR algorithm applied to this problem. Moreover, the algorithm can be easily adapted for parallel implementation.

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Authors' addresses: G. S. Ammar, Northern Illinois University, Department of Mathematical Sciences, DeKalb, IL 60115; L. Reichel, Kent State University, Department of Mathematics and Computer Science, Kent, OH 44242; D. C. Sorensen, Rice University, Department of Mathematical Sciences, Houston, TX 77251.

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