REMARK ON ALGORITHM 299

Chi-Squared Integral [I. D. Hill and M. C. Pike, Commun. ACM 10, 4 (Apr. 1967), 243–244.]

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This algorithm included a **Boolean** parameter bigx to be set to **true** if the value of x is too big for $exp(-0.5 \times x)$ to be accurately represented by the machine, or false otherwise. The aim was to avoid overflow and underflow problems, but these can still arise in some cases.

The following changes are therefore recommended:

(1) Change real x; to real x, bigx;

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(2) Delete Boolean bigx;
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- (3) After Boolean even; insert real procedure $e_x(x)$; value x; real x; ex := if x < -bigx then 0.0 else exp(x);(4) Change if even $\forall f > 2 \land \neg bigx$ then y := exp(-a)to if f > 1 then y := ex(-a)(5) Change if bigs then to if a > bigs then
- (6) Change $s := exp(c \times z a e) + s$ to

 $s := ex(c \times z - a - e) + s$

- (7) Change $e := e \times a/z$; to $e := e \times (a/z)$;
- (8) Change the introductory comment to say,

"The parameter bigs should be set to such a value that exp(-bigs) will just not underflow. This will normally be a constant for any given model of computer and could be set as an internal constant instead of being passed each time as a parameter, if desired."

