Short Communications
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# An Algol-Based Implementation of SNOBOL4 Patterns 

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## 1. Introduction

When a string appears as the subject of a SNOBOL4 statement [5], it may be scanned to see whether or not it contains a specified pattern. The position reached in the subject string during such pattern matching is called the cursor position. Any pattern $P$ may be matched against a subject string $S$ at a given cursor position $c$. If the match succeeds the cursor will move to a new position. Gimpel [3] formalized $P$ as a function $P(S, c)=c^{\prime}$.
Since $P$ may have implicit alternatives (i.e. contain several component patterns in an order of preference), $c^{\prime}$ is an ordered sequence of cursor positions.

In the usual implementations of SNOBOL4 [2-4] a pattern is compiled into a graph, whose nodes are patterns and whose edges indicate the order in which the nodes must be matched. A 'scanner" procedure is then called to thread a path through the graph, matching the pattern. This implementation is straightforward, and has the advantage that patterns can be dynamic, i.e. modified after being compiled. However, since the scanner is fundamentally an interpreter (using pattern graphs as its input code), pattern matching appears to be a time-consuming process.

This paper describes an alternative approach in
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which SNOBOL4 patterns are compiled into Algol functions, which can be combined into larger (more complicated) patterns, and which are directly executed. It was developed as part of the implementation of "Snobal/67" [1], a Burroughs B6700 compiler for a SNOBOL4-like language.

The algorithms presented below were developed in Burroughs B6700 Extended Algol, but are described here in Pascal [6, 7], since this is probably a more widely known language. The version of Pascal used has two extensions: record-valued functions, and the ability to declare varying length arrays. The algorithms are by no means complete; for example, they do not include any attempt to avoid futile searching for a match [3].

## 2. Pattern Functions

Figure 1 gives the global declarations required for pattern matching. First we declare the type string to describe SNOBOL4 strings. A string is a record with two components - length is the number of characters in the string, and body is an array containing them. If a string is non-null, length is positive and body[1] contains its first character. String subject is assumed to be the subject string, in which we will attempt to match patterns.

Next we declare type state, a record containing all the variables which will be needed by pattern functions (see below). For temporary storage of state variables a push-down stack is provided by array patternstack, integer $p s p$ (which stores the location of the last variable entered), procedures push, pop, cut, and function topofstack.

A pattern function $F$ requires at least one state parameter $s$, and returns an updated version of this state. When $F$ is first invoked, s.cursor gives the position in subject at which $F$ is to start matching, and s.succeed is false. If the function does not match, F.succeed is set false; otherwise F.succeed is true, and F.cursor indicates the starting cursor position for the next pattern component.

Every pattern function which succeeds may be called again to test for its next implicit alternative. In this case it expects as its input state the state it last returned. Hence the state variable can be used to store information between alternatives. Should a pattern function need to store more information between alternatives than can be kept in one state variable, it may push state variables into patternstack. Such a function will expect the stack to be unchanged when it is called for its next alternative, hence any pattern function which fails must remove any items it has stored in patternstack.

As an example of a pattern function, Figure 2 shows len, which implements LEN (the SNOBOL4 primitive

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Fig. 1. Global declarations for pattern matching.

```
type string = record
    length : integer;
    body : array [0 . . length] of char;
    end;
    state = record
        succeed : Boolean;
        cursor, alternative : integer;
        end;
var subject : string;
    patternstack : array [integer] of state;
    psp : integer;
procedure push(p : state);
    begin psp := psp+1; patternstack [psp]:= p; end;
procedure cut;
    begin psp := psp-1; end;
function topofstack : state;
    begin topofstack := patternstack [psp]; end;
procedure pop(var p : state);
    begin p := patternstack [psp];psp := psp-1; end;
```

Fig. 2. Sample pattern function.

```
function len ( \(p:\) state, \(l:\) integer \():\) state ;
    begin
        if \(\neg\) p.succeed then begin
            if subject.length - p.cursor \(+1 \geq l\) then begin
            len.succeed \(:=\) true;
            len.cursor \(:=\) p.cursor \(+l\);
            end
            else len.succeed \(:=\) false;
            end
        else len.succeed \(:=\) false;
        end;
```

Fig. 3. Concatenation of pattern functions $A$ and $B$.
(a) Structure of cat.


[^0]```
function cat(inp : state) : state;
    var p: state;
    begin
        p:= inp;
        if p.succeed then goto 5;
        repeat
            p:= A(p);
            if p.succeed then begin
                push(p);
                p.succeed := false;
                5:p:= B(p);
                    if p.succeed then goto 9;
                pop(p);
                end;
            until ᄀ p.succeed;
    9: cat := p;
        end;
```

matching any string of $N$ characters). When len is first invoked p.succeed is false, so if sufficient characters remain in subject, len succeeds. If len is invoked again, $p$ brings back the last value of len, i.e. p.succeed is true. Since LEN has no implicit alternatives, len fails.

## 3. Operations on Patterns

Two of the most common operators used in building up patterns are concatenation (e.g. A B means "match A, then B") and alternation, (e.g. A | B means "match A, if A fails match $B^{\prime \prime}$ ).

The structure of cat, an algorithm for concatenating pattern functions $A$ and $B$ is shown in Figure 3(a). Its outer loop repeats as long as $A$ succeeds, i.e. it terminates when there are no further implicit alternatives for $A$. The inner loop does the same for $B$. When both $A$ and $B$ have succeeded we have found one match for $A$ $B$, so we exit from cat to continue with the function which called it. Should we need to retry cat we must return into the inner loop for $B$ 's next alternative.

Figure 3(b) gives a program for cat. This uses a working state variable $p$ for interacting with $A$ and $B$. The outer loop is a simple repeat loop, which saves its current value of $p$ in patternstack while executing the inner loop. Exit from the inner loop is implemented by the statement "goto 9 "; return into it by "goto 5". The inner loop keeps its value of $p$ between retries in the function value (as did len in Section 2).
cat could be implemented as a function with procedures $A$ and $B$ as parameters allowing us to handle patterns like A B C as (A B) C. Note, however, that $A$ 's repeat loop can be duplicated as many times as required, allowing us to create a cat-like function with any given number of pattern arguments.

Alternation is more difficult to handle, since every alternative of each pattern component must be tried before moving on to the next component. alt, an algorithm for A $\mid$ B is shown in Figure 4(a). This pattern has two components. The outer loop tries them in turn, using its inner loop to test their implicit alternatives. When a successful alternative is found we exit from alt, making provision to continue the inner loop should we need to retry.

The program for alt (Figure 4(b)), is complicated by the fact that three items of information must be saved between retries. These are altnbr (the number of the current pattern component), newp (the state variable for the current implicit alternative), and $p$ (the initial value of newp). When alt is first invoked inp.succeed is false, so we push inp (as $p$ ) and set altnbr to zero. The outer repeat loop retrieves this initial $p$ for each pattern component. When the inner repeat loop finds a match it pushes newp and exits ("goto 9 "), storing altnbr in the function value. A retry recovers these values (as $p$ and altnbr) before returning into the inner loop. When alt finally fails the initial $p$ is $c u t$ from the stack.

As with cat, an alt-like function can be created with

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any given number of pattern arguments.
When a match is complete, patternstack contains a history of the match. It is a simple matter to put extra items in the stack for other purposes, such as remembering which parts of the pattern were to be assigned to other strings following a successful match. Storing items in patternstack is similar in effect to "threading the beads" of a SNOBOL4 bead diagram. As each pattern component is matched ("bead is threaded") items are added to the stack. If a component finally fails, its stack items are removed ("the needle is withdrawn"). Failure to cut the stack back properly will ruin the pattern matching - this corresponds to "cutting the thread."

Pattern functions can be used in a re-entrant man-ner-for example, to implement

$$
\mathrm{D}={ }^{\prime} 0^{\prime}\left|{ }^{\prime} 1^{\prime} ; \mathrm{B}=\mathrm{D} D \mathrm{D}\right| \mathrm{D} \cdot \mathrm{D} \mid \mathrm{D}
$$

we would use alt for D and B , and cat for the first two components of B. In Figures 3(b) and 4(b) the working variables ( $p$, newp, altnbr) are local, but since they are all saved between retries they might usefully be global.

Recursive use of the pattern functions described above is impossible for two reasons. First, they have no way of breaking recursive loops. To provide this we could include an integer depth in state, set depth equal to cursor when a function succeeds, and increment it by one when invoking further functions. Functions would then fail when depth exceeded subject.length. Second, recursive invocations may store an unknown number of items in patternstack. To cope with this we would need to pass the stack height (value of $p s p$ ) on entry to a function, probably as another integer in state, so the function could restore the stack reliably when it failed.

## 4. Conclusion

This implementation of SNOBOL4 patterns is used in the SNOBOL4-like language "Snobal/67" [1], which has an execution speed varying between 3 and 18 times faster than our Burroughs B6700 implementation of SNOBOL4. Unfortunately our SNOBOL4 has no official support, so this performance may be suspect.

As outlined above, the overheads in implementing fully recursive patterns are high: for this reason Snobal/ 67 does not allow them. To compensate for this Snobal/ 67 has ARBNX(P), a pattern primitive which matches pattern P as many times as possible. ARBNX is defined as
$\operatorname{ARBNX}(\mathrm{P})=* \mathrm{P} \operatorname{P} \mid \mathrm{P}$
where $*$ is SNOBOL4's "unevaluated expression" operator.
The algorithms presented above are straightforward to use. Though they are described in a version of Pascal it is possible to implement them in almost any high-level language. This can be particularly useful in producing pattern-matching systems (like Snobal/67)

Fig. 4. Alternation of pattern functions $A$ and $B$.
(a) Structure of alt.

(b) Program for alt.

```
function alt(inp : state) : state;
    var \(p\), newp : state; altnbr : integer;
    begin
        if \(\neg\) inp.succeed then begin
            \(p:=\) inp \(;\) push \((p)\);altnbr \(:=0\);
            end
        else begin
            pop \((p)\);altnbr := inp.alternative
            end;
        repeat
            repeat
                case altnbr of
                0 : newp := A(p);
                1 : newp := \(B(p)\);
                    end;
            if newp.succeed then begin
                    push(newp);
                    newp.alternative \(:=\) altnbr:
                    goto 9 ;
                    end;
                until \(\neg\) newp.succeed;
            altnbr \(:=\) altnbr \(+1 ; p:=\) topofstack;
            until altnbr \(=2\);
            cut;
        9: alt := newp;
        end;
```

where the emphasis is on execution speed and simplicity of implementation, rather than on providing the full generality of SNOBOL4.

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[^0]:    (b) Program for cat.

