

Remote Data Integrity Checking and Sharing in Cloud-Based Health Internet of Things

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SUMMARY In the health IoT (Internet of Things), the specialized sensor devices can be used to monitor remote health and notify the emergency information, e.g., blood pressure, heart rate, etc. These data can help the doctors to rescue the patients. In cloud-based health IoT, patients' medical/health data is managed by the cloud service providers. Secure storage and privacy preservation are indispensable for the outsourced medical/health data in cloud computing. In this paper, we study the integrity checking and sharing of outsourced private medical/health records for critical patients in public clouds (ICS). The patient can check his own medical/health data integrity and retrieve them. When a patient is in coma, some authorized entities and hospital can cooperate to share the patient's necessary medical/health data in order to rescue the patient. The paper studies the system model, security model and concrete scheme for ICS in public clouds. Based on the bilinear pairing technique, we design an efficient ICS protocol. Through security analysis and performance analysis, the proposed protocol is provably secure and efficient.

key words: remote data integrity checking, public cloud, data sharing

1. Introduction

IoT can be used in the healthcare applications. It plays a significant role from managing chronic diseases at one end of the spectrum to preventing disease at the other, such as clinical care and remote monitoring. In the life of every people, the generated medical data and the health data is very large. In the medical research, the researchers will process massive medical health data. Massive data processing and information security risk call for the new computation model as an alternative to conventional computing. As a new computation model, cloud computing has become a reality along with the development of network and computer technology. Cloud computing provides a flexible, dynamic, resilient and cost effective infrastructure for the business environments. For the patients and hospital, the remote medical/health data

integrity checking and sharing can be performed by the patients and hospital. Since the medical/health data is outside the control of patients and hospital, cloud service providers are more responsible for the security of application services, especially in public clouds. Based on public cloud server's benefits and security risks, the paper focuses on privacy-preserving remote medical/health data integrity checking and sharing for critical patients in public clouds.

Throughout the paper, "privacy-preserving ICS" is simplified as "ICS", "public cloud server" is simplified as "PCS".

1.1 Motivation

Along with the development of IoT, it is widely used in the field of healthcare. By using the IoT, massive health data is generated. On the other hand, when the patient goes to the hospital, the medical data is also generated. These generated medical/health data can be used in order to rescue the patients. In the cloud-based health IoT, the medical/health data is stored in public clouds. In public clouds, the hospitals and patients access PCS *via* Internet. To protect the hospital's benefits, it is important to prevent unauthorized entities to check these data integrity. If the malicious competitors can check these data integrity, they can evaluate these data size. Then, the competitors can evaluate the hospital's daily business volume. Then, the competitors can take measures to prevail the hospital. In order to protect these data, the remote data integrity checking can only be performed by the hospital besides of the patient. Usually, in order to protect the patients' privacy, only the patient can retrieve his own medical/health data. Unfortunately, the critical patients may be in a coma before reaching the hospital. In this case, the hospital and the patient's relatives should be able to cooperate to share the patient's medical/health data in order to rescue him. This real social requirement motivates us to study privacy-preserving remote medical/health data integrity checking and sharing for critical patients in public clouds.

1.2 Related Work

The rapidly developed IoT has been widely applied in the medical/health field [1], [2]. Based on the special properties of medical/health data, when IoT is used in the medical/health field, some security risks emerge [3], [4]. In 2015, Wu *et al.* proposed employment of the regenerating codes

Manuscript received November 24, 2015.

Manuscript revised April 12, 2016.

Manuscript publicized May 31, 2016.

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DOI: 10.1587/transinf.2015INI0001

and symmetric-key encryption with a Blom based key management [5]. Their scheme can repair the lost fragment and protect data secrecy. When the medical/health data is stored on the PCS, the remote data integrity checking and sharing become an urgent security problem which needs to be solved. In 2014, Wang *et al.* proposed the fair remote retrieval of outsourced private medical records in electronic health networks [6]. Lu *et al.* proposed privacy preserving opportunistic computing framework for mobile-health care emergency [7]. In 2016, He *et al.* introduced a novel network security architecture for cloud computing considering characteristics of cloud computing [8]. Their scheme can protect external and internal traffics in cloud computing. It can also attain flexible scalability with respect to virtual middle box load and achieve fault-tolerant among virtual middle box failure.

Since these privacy-aware medical/health data is stored on the untrusted third party PCS, it is important to keep these data uncorrupted and privacy-preserving. As an efficient remote data integrity checking model, the concept of provable data integrity (PDP) was proposed by G. Ateniese *et al.* in 2007 [9]. They also designed two concrete statically secure PDP schemes. Since PDP is a very efficient remote data integrity checking model, many researchers proposed a variety of PDP security models and concrete schemes [10]–[14].

Privacy-preservation is an important security issue in cloud computing. In 2013, Wang *et al.* proposed the privacy-preserving public auditing in cloud computing [15]. Nabeel *et al.* proposed privacy preserving policy based content sharing in public clouds [16]. Guo *et al.* proposed the variable threshold-value authentication architecture for wireless mesh networks [17]. In the medical/health data cloud storage, privacy preservation is especially important. Only the patient and the authorized entities can get the patient's medical/health data. PDP protocols are classified into two categories: private PDP and public PDP. Some private information is necessary to perform private PDP. The private information is not needed for public PDP.

1.3 Our Contribution and Organization

In this paper, we propose the novel concept of ICS. Then, we give the formal system model and security model of ICS. By using the bilinear pairings, an efficient ICS protocol is designed. Through security analysis and performance analysis, our ICS protocol is provably secure and efficient.

The rest of the paper is organized as follows. Section 2 introduces the preliminaries and Sect. 3 describes our pairing-based ICS protocol and analyzes its security. Section 4 gives the performance analysis of our ICS protocol. Finally, Sect. 5 concludes this paper.

2. Preliminaries

ICS system model and security model are proposed in this section. After that, bilinear pairings and some corresponding difficult problems are also described below.

2.1 System Model and Security Model

ICS system consists of four different network entities: *Patient*, *Hospital*, *AuthSet*, *PCS*. They can be identified below.

1. *Patient*, whose medical/health data will be uploaded to PCS for maintenance and computation, is individual human being;
2. *Hospital*, which diagnoses the patients and generates the medical/health data for the patients, can be physicians or medical institutions;
3. *AuthSet*, which is the patient's authorized entity set, can cooperate with the hospital to share the patient's medical/health data;
4. *PCS*, which is managed by cloud service provider, has significant storage space and computation resource to maintain the patients' data.

Definition 1 (ICS). *A ICS protocol is a collection of seven polynomial time algorithms (Setup, EncTagGen, CheckTagSign, GenProof, GenRetr, CheckProof, Retrieval) among PCS, Hospital, Patient, and AuthSet such that:*

1. $Setup(1^k) \rightarrow (params, sk, pk)$ is a probabilistic system parameters and key generation algorithm to setup the protocol where k is a security parameter, sk is the secret key and pk is the public key. $params$ is the public system parameters. ID_j gets its private/public key pair (x_j, X_j) and a symmetric encryption key sk_j . The hospital's private/public key pair are (y, Y) . PCS's private/public key pair are (z, Z) . The patient ID_j prepares the warrant ω_j and the corresponding certificate $Sign(\omega_j)$. ID_j creates sk_j 's secret shares and distributes the shares among $AuthSet_j$.
2. $EncTagGen(x_j, sk_j, Y, Z, M_j) \rightarrow \{T_{i,j}\}$ is run by the patient ID_j to generate the verification metadata, where M_j is ID_j 's medical/health data and $T_{i,j}$ is ID_j 's i -th block's tag.
3. $CheckTagSign(F_{i,j}, T_{i,j}, z, X_j, Y, Z, \omega_j, Sign(\omega_j)) \rightarrow \{\text{"success"}, \text{"failure"}\}$ is run by PCS to check whether the medical/health block-tag pair $(F_{i,j}, T_{i,j})$ and the warrant-signature pair $(\omega_j, Sign(\omega_j))$ are valid or not.
4. $GenProof(F, chal_p, \Sigma) \rightarrow V_p$ is run by PCS to generate the proof of integrity. F is the stored file and Σ is the stored tags. $chal_p$ is the challenge from the verifier.
5. $GenRetr(F, chal_r, \Sigma) \rightarrow V_r$ is run by PCS to generate the retrieval response.
6. $CheckProof(x_j \text{ or } y, X_j, Y, Z, chal_p, V_p) \rightarrow \{\text{"success"}, \text{"failure"}\}$ is run by the patient ID_j or the hospital to check the data integrity.
7. $Retrieval((x_j, sk_j) \text{ or } (y, sk'_j \text{ s valid share set}), X_j, Y, Z, chal_r, V_r) \rightarrow M_j$ is run by the patient ID_j or the cooperation of hospital and $AuthSet_j$ to retrieve ID_j 's remote medical/health data M_j .

The following definitions 2, 3, 4 define the security against the malicious PCS forgery, restrictive remote medical/health data integrity checking and restrictive retrievability.

ity.

Definition 2 (Integrity Against Malicious PCS). *ICS protocol satisfies the integrity if any PPT (probabilistic polynomial time) adversary \mathcal{A} (i.e., malicious PCS) can win the ICS game only with negligible probability. ICS game between the challenger C and the adversary \mathcal{A} is described below:*

1. *Setup:* In this phase, the system parameters params are created. Let the patient set be \mathcal{P} . The patient ID_j 's private/public key pair (x_j, X_j) , the hospital's private/public key pair (y, Y) and PCS's private/public key pair (z, Z) are created where $ID_j \in \mathcal{P}$. Let ID_j 's symmetric encryption/decryption key be sk_j . The private keys x_j, y are kept secret. The parameters $(z, X_j, Y, Z, \text{params}, ID_j \in \mathcal{P})$ are sent to \mathcal{A} .
2. *First-Phase Queries:* \mathcal{A} adaptively queries C below.
 - *Hash query.* Input the hash queries adaptively, C responds the corresponding hash values to \mathcal{A} .
 - *Tag query.* Input the medical/health block $F_{i,j}$ for the patient ID_j , C calculates the tag $T_{i,j} \leftarrow \text{TagGen}(x_j, F_{i,j})$ and sends it to \mathcal{A} . Without loss of generality, let $\{(F_{i,j}, T_{i,j})\}$ be the queried block-tag pair set and $\mathbb{I}_1 = \{(i, j)\}$ in First-Phase Queries.
3. *Challenge:* C generates a data integrity challenge chal_p which defines the challenged block-tag pair index collection $\mathbb{I}_c = \{(i_1, j_1), (i_2, j_2), \dots, (i_c, j_c)\}$, where $\mathbb{I}_c \not\subseteq \mathbb{I}_1$ and c is a positive integer. C is queried to provide the proof of integrity checking for the medical/health blocks $F_{i_1, j_1}, \dots, F_{i_c, j_c}$.
4. *Second-Phase Queries:* Similar to First-Phase Queries. Let the queried medical/health block-tag pair set be $\{(F_{i,j}, T_{i,j})\}$ and $\mathbb{I}_2 = \{(i, j)\}$ in Second-Phase Queries. The restriction is that $\mathbb{I}_c \not\subseteq (\mathbb{I}_1 \cup \mathbb{I}_2)$.
5. *Forge:* Finally, \mathcal{A} forges a data integrity proof V_p for the medical/health blocks indicated by chal_p and returns V_p to C .

In the above ICS game, we say that \mathcal{A} wins if

$$\Pr \left[\begin{array}{l} \text{CheckProof}(y, X_j, Y, Z, \text{chal}_p, V_p, \\ ID_j \in \mathcal{P}) \rightarrow \text{"success"} \end{array} \right] \geq \frac{1}{p(k)}$$

where $p(k)$ is a polynomial of the security parameter k .

Definition 3 (Restrictive Integrity Checking). *In the remote medical/health data integrity checking, only the following restrictive entities have the ability to perform the data integrity checking protocol:*

1. *The hospital can perform the remote medical/health data integrity checking for all the patients.*
2. *The individual patient can perform the integrity checking only for his own remote medical/health data.*
3. *Except the hospital, patient and PCS, the other entity cannot perform the remote medical/health data integrity checking.*

Definition 4 (Restrictive Retrievalability). *In the remote medical/health data retrievalability, the patient ID_j creates the retrievalability control set $\mathcal{R} = \{R_{1,j}, R_{2,j}, \dots, R_{\hat{n}_j,j}\}$. It satisfies the following requirements:*

1. *The patient ID_j can retrieve his own remote medical/health data by himself, i.e., $\{ID_j\} \in \mathcal{R}$.*
2. *For the other retrievalability control set $R_{i,j} \in \mathcal{R}$, the entities in $R_{i,j}$ can cooperate to retrieve ID_j 's remote medical/health data under the help of the hospital.*
3. *For any entity set R_A , if $R_{i,j} \not\subseteq R_A$ for every $1 \leq i \leq \hat{n}_j$, the entities in S_A cannot retrieve ID_j 's remote medical/health data even if they collude.*

A secure ICS protocol also needs to guarantee that after validating the PCS-generated proof, the verifier can also be convinced that all of his outsourced data has been kept intact with a high probability. The following security definition gives the security property.

Definition 5 ((ρ, δ) Security). *An ICS protocol is (ρ, δ) -secure if PCS corrupted ρ fraction of the whole medical/health blocks, the probability that the corrupted blocks are detected is at least δ .*

2.2 Bilinear Pairings and Difficult Problems

Let \mathcal{G}_1 and \mathcal{G}_2 be two cyclic multiplicative groups with the same prime order q . Let $\hat{e} : \mathcal{G}_1 \times \mathcal{G}_1 \rightarrow \mathcal{G}_2$ be a bilinear map. \hat{e} can be constructed by the modified Weil or Tate pairings on elliptic curves [18], [19]. The group with such a map \hat{e} is called a bilinear group, on which the Computational Diffie-Hellman (CDH) problem is assumed hard while the Decisional Diffie-Hellman (DDH) problem is easy [20].

Definition 6 (Gap Diffie-Hellman (GDH) Group). *Let g is the generator of \mathcal{G}_1 . Given $g, g^a, g^b, g^c \in \mathcal{G}_1$ while $a, b, c \in \mathbb{Z}_q^*$ are unknown, it is recognized that there exists an efficient algorithm to determine whether $ab = c \pmod{q}$ holds by verifying $\hat{e}(g^a, g^b) = \hat{e}(g, g^c)$ in polynomial time (DDH problem), while there exist no efficient algorithms to compute $g^{ab} \in \mathcal{G}_1$ with non-negligible probability within polynomial time (CDH problem). An algorithm \mathcal{A} is said to (t, ϵ) -break the CDH problem on \mathcal{G}_1 if \mathcal{A} runs in time at most t , and the following CDH advantage is at least ϵ .*

$$\text{Adv}_{\mathcal{A}}^{\text{CDH}} = \Pr[\mathcal{A}(g, g^a, g^b) \rightarrow g^{ab} : \forall a, b \in \mathbb{Z}_q^*] \geq \epsilon$$

The probability is taken over the choice of a, b and \mathcal{A} 's coin tosses. A group \mathcal{G}_1 is a (t, ϵ) -GDH group if the DDH problem on \mathcal{G}_1 is efficiently computable and no algorithm (t, ϵ) -breaks the CDH problem on \mathcal{G}_1 .

Definition 7 (Bilinear Diffie-Hellman Problem (BDHP) assumption). *Given (g, g^a, g^b, g^c) for unknown $a, b, c \in \mathbb{Z}_q^*$, it is difficult to compute $W = \hat{e}(g, g)^{abc} \in \mathcal{G}_2$.*

3. Our Proposed Pairing-Based ICS Protocol

3.1 ICS Protocol Construction

Our ICS protocol consists of seven phases: (*SetUp*, *Enc-TagGen*, *CheckTagSign*, *GenProof*, *GenRetr*, *CheckProof*, *Retrieval*) among *PCS*, *Hospital*, *Patient*, and *AuthSet*. Suppose there are n_p patients whose set is denoted as \mathcal{P} , i.e., $\mathcal{P} = \{ID_1, ID_2, \dots, ID_{n_p}\}$. Suppose the patient ID_j will upload n_j block-tag pairs. Denote the corresponding block-patient index set as $\mathcal{B} \times \mathcal{P} = \{(i, j), 1 \leq j \leq n_p, 1 \leq i_j \leq n_j\}$. Let n denote the whole block number, i.e., $n = \sum_{j=1}^{n_p} n_j$. Let f and Ω be two pseudo-random functions, and let π be a pseudo-random permutation. Let H, h be two cryptographic hash functions. They are described below.

$$\begin{aligned} f &: \mathcal{Z}_q^* \times \{1, 2, \dots, n\} \rightarrow \mathcal{Z}_q^* \\ \Omega &: \mathcal{Z}_q^* \times (\mathcal{B} \times \mathcal{P}) \rightarrow \mathcal{Z}_q^* \\ \pi &: \mathcal{Z}_q^* \times \{1, 2, \dots, n\} \rightarrow \mathcal{B} \times \mathcal{P} \\ H &: \mathcal{G}_2 \times \{0, 1\}^* \rightarrow \mathcal{Z}_q^*, \quad h : \mathcal{Z}_q^* \rightarrow \mathcal{G}_1 \end{aligned}$$

Let g be a generator of \mathcal{G}_1 . Without loss of generality, we only consider the patient ID_j in the concrete scheme construction. Denote ID_j 's medical/health data as M_j . The patient ID_j picks a random $x_j \in \mathcal{Z}_q^*$ as his private key and computes $X_j = g^{x_j}$ as his public key. On the other hand, ID_j picks a random $sk_j \in \mathcal{Z}_q^*$ as his symmetric encryption/decryption key. The hospital picks a random number $y \in \mathcal{Z}_q^*$ as its private key and computes $Y = g^y$ as its public key. *PCS* picks a random number $z \in \mathcal{Z}_q^*$ as its private key and computes $Z = g^z$ as its public key. The phases of our proposed ICS protocol are described below.

SetUp: The patient ID_j delegates his remote medical/health data retrieval capability to the authorized entity set $AuthSet_j$. Suppose that n_{s_j} entities share ID_j 's symmetric key and th_j entities can retrieve ID_j 's remote medical/health data by cooperating with the hospital. Let the authorized entity set be $AuthSet_j = \{D_{j,1}, D_{j,2}, \dots, D_{j,s_j}\}$ and $D_{j,i} \in \mathcal{Z}_q^*$ (it can be realized by using the hash function $\mathbb{H} : \{0, 1\}^* \rightarrow \mathcal{Z}_q^*$). Let (*Sign*, *Verify*) be secure signature/verification algorithm pairs. In order to restrict the authorized entities' behaviors, for every entity $D_{j,i}$, ID_j creates the warrant ω_j and $Sign(\omega_j)$ by using his own private key x_j . The warrant ω_j describes the rules which must be obeyed by $D_{j,i}$. For the symmetric encryption key sk_j , ID_j generates the corresponding shares below.

1. Pick the random $a_{j,1}, a_{j,2}, \dots, a_{j,th_j-1} \in \mathcal{Z}_q^*$ and get the following polynomial with the order $th_j - 1$:

$$\mathcal{F}_j(x) = sk_j + \sum_{i=1}^{th_j-1} a_{j,i}x^i$$

2. Compute the share $ss_{j,i} = \mathcal{F}_j(D_{j,i})$ for every entity $D_{j,i}$. Then, ID_j sends $(ss_{j,i}, \omega_j, Sign(\omega_j))$ to $D_{j,i}$.
3. Every entity $D_{j,i}$ verifies whether the warrant-signature

pair $(\omega_j, Sign(\omega_j))$ is valid. If it is valid, $D_{j,i}$ keeps the warrant-signature pair $(\omega_j, Sign(\omega_j))$ and the corresponding secret share $ss_{j,i}$ of the symmetric encryption/decryption key sk_j of the patient ID_j .

Finally, ID_j picks a public random element $u_j \in \mathcal{G}_1^*$. The final system parameters are

$$params = \{\mathcal{G}_1, \mathcal{G}_2, \hat{e}, f, \Omega, \pi, H, h, X_j, Y, Z, u_j, q, ID_j \in \mathcal{P}\}$$

EncTagGen($x_j, sk_j, M_j, \Omega, Y, Z$): After finishing the medical/health advices, the patient ID_j gets his own medical/health data M_j . Taking use of the symmetric encryption algorithm, ID_j gets the ciphertext $F_j = E_{sk_j}(M_j)$. Then, F_j is divided into n_j blocks, i.e., $F_j = (F_{1,j}, F_{2,j}, \dots, F_{n_j,j})$. For the block $F_{i,j}$, the patient ID_j computes $t_j = H(\hat{e}(Y, Z)^{x_j}, \omega_j)$, $W_{i,j} = \Omega_{t_j}(i, j)$ and compute $T_{i,j} = (h(W_{i,j})u_j^{F_{i,j}})^{x_j}$. Then, it outputs the block-tag pair $(F_{i,j}, T_{i,j})$.

When the above procedures are performed n_j times, all the block-tag pairs are created. At last, the patient ID_j uploads his block-tag pairs collection $\{(F_{i,j}, T_{i,j}), 1 \leq i \leq n_j\}$ and the warrant-signature pairs $(\omega_j, Sign(\omega_j))$ to *PCS*. *PCS* stores the block-tag pairs and the warrant-signature pairs $(\omega_j, Sign(\omega_j))$. The patient deletes these block-tag pairs $\{(F_{i,j}, T_{i,j}), 1 \leq i \leq n_j\}$ from its local storage.

CheckTagSign($\{z, X_j, Y, (\omega_j, Sign(\omega_j)), (F_{i,j}, T_{i,j}), 1 \leq i \leq n_j\}$): Upon receiving $(\omega_j, Sign(\omega_j))$, *PCS* verifies its validity by using the corresponding verification algorithm *Verify*. If it is invalid, output "failure". Otherwise, for every $1 \leq i \leq n_j$, *PCS* computes $\hat{t}_j = H(\hat{e}(X_j, Y)^z, \omega_j)$ and $\hat{W}_{i,j} = \Omega_{\hat{t}_j}(i, j)$. Then, it verifies whether the following formula holds: $\hat{e}(T_{i,j}, g) \stackrel{?}{=} \hat{e}(h(\hat{W}_{i,j})u_j^{F_{i,j}}, X_j)$. If it holds, then *PCS* accepts it. Otherwise, *PCS* rejects it and responds "failure".

GenProof($F, chal_p, \Sigma$): Let the challenge be $chal_p = (c, k_1, k_2)$ where $1 \leq c \leq n$, $k_1 \in \mathcal{Z}_q^*$, $k_2 \in \mathcal{Z}_q^*$. Let F be the set of the blocks. Let Σ be the set of the tags. The hospital queries *PCS* for medical/health data integrity proof of c file blocks. k_1 is used as the random key of the pseudo-random permutation π . k_2 is used as the random key of the pseudo-random function f . *PCS* performs the procedures below.

1. For $1 \leq i \leq c$, *PCS* computes the indexes and coefficients below: $(I_i, j_i) = \pi_{k_1}(i)$, $a_i = f_{k_2}(i)$
2. The set $\{(I_i, j_i), 1 \leq i \leq c\}$ is divided into many subsets \mathcal{S}_{j_i} based on the different patients. For the same patient ID_{j_i} , let \mathcal{S}_{j_i} be the subset $\{(I_i, j_i), j_i \text{ is constant}, 1 \leq i \leq c\}$. Thus, \mathcal{S}_{j_i} describes the challenged medical/health data blocks of the patient ID_{j_i} . Denote $\mathcal{S} = \{\mathcal{S}_{j_i}, 1 \leq i \leq c\}$.

Note: For the different i , maybe, the mapped j_i are the same, i.e., there exist more challenged blocks for the patient ID_{j_i} . Of course, maybe, there doesn't exist challenged blocks for some patients.

3. For $1 \leq i \leq c$, compute

$$T = \prod_{i=1}^c T_{I_i, j_i}^{a_i}, \hat{F}_{j_i} = \sum_{(I_i, j_i) \in \mathcal{S}_{j_i}} a_i F_{I_i, j_i}$$

- Denote $\hat{F} = \{\hat{F}_{j_i}, \mathcal{S}_{j_i} \in \mathcal{S}\}$. Output $V = (\hat{F}, T)$ to the hospital.

GenRetr($F, chal_r, \Sigma$): Suppose the patient ID_j wants to retrieve his own medical/health data blocks $(I_1, j), (I_2, j), \dots, (I_c, j)$. ID_j sends the challenge $chal_r = \{(I_1, j), (I_2, j), \dots, (I_c, j), k_2\}$ where $k_2 \in \mathcal{Z}_q^*$. Upon receiving the retrieval challenge $chal_r$ from the patient ID_j , PCS performs the procedures below:

- For $1 \leq i \leq c$, compute the coefficients: $a_i = f_{k_2}(i)$.
- For $1 \leq i \leq c$, compute $T = \prod_{i=1}^c T_{I_i, j}^{a_i}$.
- Output $V_r = (F_{I_1, j}, F_{I_2, j}, \dots, F_{I_c, j}, T)$ to ID_j .

When the hospital and $AuthSet$ cooperate to query PCS to retrieve the patient ID_j 's medical/health data, they sends the challenge $chal_r = \{\omega_j, Sign(\omega_j), (I_1, j), (I_2, j), \dots, (I_c, j), k_2\}$ to PCS. PCS verifies the warrant-signature pair $(\omega_j, Sign(\omega_j))$. If it is valid and the query complies with the warrant ω_j , PCS performs the same procedures as ID_j 's retrieval query. Otherwise, rejects it.

CheckProof($y, X_j, Y, Z, chal_p, V_p, ID_j \in \mathcal{P}$): Upon receiving the response V_p from PCS, the hospital performs the procedures below:

- For $1 \leq i \leq c$, compute the indexes and coefficients below: $(I_i, j_i) = \pi_{k_1}(i)$, $a_i = f_{k_2}(i)$
- For $1 \leq i \leq c$, compute $\hat{t}_{j_i} = H(\hat{\epsilon}(X_{j_i}, Z)^y, \omega_{j_i})$;
- Check whether the following formula holds.

$$\hat{\epsilon}(T, g) \stackrel{?}{=} \prod_{\mathcal{S}_{j_i} \in \mathcal{S}} \hat{\epsilon} \left(\prod_{(I_i, j_i) \in \mathcal{S}_{j_i}} h(\Omega_{\hat{t}_{j_i}}(I_i, j_i))^{a_i} u_{j_i}^{\hat{t}_{j_i}}, X_{j_i} \right) \quad (1)$$

If (1) holds, then the hospital outputs "success". Otherwise, the hospital outputs "failure".

Retrieval((x_j, sk_j) or $(y, sk_j$'s valid share set), $X_j, Y, Z, chal_r, V_r$): The two cases can be considered. (1) The patient ID_j retrieves his own medical/health data. (2) The hospital and $AuthSet_j$ cooperate to retrieve ID_j 's medical/health data.

The first case, ID_j retrieves his own medical/health data below:

- For $1 \leq i \leq c$, compute the coefficients: $a_i = f_{k_2}(i)$.
- Compute $\hat{F}_j = \sum_{i=1}^c a_i F_{I_i, j}$, $t_j = H(\hat{\epsilon}(Y, Z)^{x_j}, \omega_j)$.
- Check whether the following formula holds.

$$\hat{\epsilon}(T, g) \stackrel{?}{=} \hat{\epsilon} \left(\prod_{i=1}^c h(\Omega_{t_j}(I_i, j))^{a_i} u_j^{F_{I_i, j}}, X_j \right) \quad (2)$$

If the formula (2) holds, the patient ID_j accepts the blocks $F'_j = \{F_{I_1, j}, F_{I_2, j}, \dots, F_{I_c, j}\}$. Then, the corresponding plaintext $M'_j = D_{sk_j}(F'_j)$ can be retrieved by using the symmetric encryption key sk_j . Otherwise, the

patient ID_j rejects the response.

The second case, in the authorized set $AuthSet_j$, suppose that th_j entities agree to retrieve the patient ID_j 's medical/health data. Let the th_j entities be $D_{j,i_1}, D_{j,i_2}, \dots, D_{j,i_{th_j}}$. Under the help of the hospital, they cooperate to perform the steps below:

- For $1 \leq i \leq c$, compute the coefficients: $a_i = f_{k_2}(i)$. After that, it computes $\hat{F}_j = \sum_{i=1}^c a_i F_{I_i, j}$, $t_j = H(\hat{\epsilon}(X_j, Z)^y, \omega_j)$.
- Check whether the following formula holds.

$$\hat{\epsilon}(T, g) \stackrel{?}{=} \hat{\epsilon} \left(\prod_{i=1}^c h(\Omega_{t_j}(I_i, j))^{a_i} u_j^{F_{I_i, j}}, X_j \right) \quad (3)$$

If the formula (3) holds, they accept the blocks $F'_j = \{F_{I_1, j}, F_{I_2, j}, \dots, F_{I_c, j}\}$. By using their own shares, these th_j entities can compute sk_j :

$$sk_j = \sum_{r=1}^{th_j} \left(\prod_{l=1, l \neq r}^{th_j} \frac{-D_{j,i_l}}{D_{j,i_r} - D_{j,i_l}} \right) s_{j,i_r}$$

The corresponding plaintext $M'_j = D_{sk_j}(F'_j)$ can be retrieved by using the symmetric encryption key sk_j . Otherwise, they reject the response.

3.2 Security Analysis

The correctness analysis and security analysis of our proposed ICS protocol are given by the lemmas and theorems below:

Theorem 1. *If the patient ID_j , hospital and PCS are honest and follow the proposed procedures, then any block-tag pair can pass PCS's tag checking, i.e., $CheckTagSign$ satisfies the correctness.*

Proof. Since $(Sign, Verify)$ is secure signature-verification algorithm pair, and $(\omega_j, Sign(\omega_j))$ is valid warrant-signature pair, thus, $(\omega_j, Sign(\omega_j))$ can pass the verification. According to the phases of $EncTagGen$ and $CheckTagSign$, the following formulas hold:

$$\begin{aligned} \hat{t} &= H(\hat{\epsilon}(X_j, Y)^z, \omega_j) = H(\hat{\epsilon}(Y, Z)^{x_j}, \omega_j) = t \\ \hat{W}_{i,j} &= \Omega_{\hat{t}}(i, j) = \Omega_t(i, j) = W_{i,j} \\ \hat{\epsilon}(T_{i,j}, g) &= \hat{\epsilon}((h(W_{i,j})u_j^{F_{i,j}})^{x_j}, g) \\ &= \hat{\epsilon}(h(\hat{W}_{i,j})u_j^{F_{i,j}}, g^{x_j}) = \hat{\epsilon}(h(\hat{W}_{i,j})u_j^{F_{i,j}}, X_j) \end{aligned}$$

□

Theorem 2. *If hospital and PCS are honest and follow the proposed procedures, the response V_p can pass the hospital's data integrity checking, i.e., $CheckProof$ satisfies the correctness.*

Proof. Let the challenge be $chal_p = (c, k_1, k_2)$. According to the phases of $EncTagGen$ and $GenProof$, we know that $\hat{t}_j =$

$H(\hat{e}(X_j, Z)^y, \omega_j) = H(\hat{e}(Y, Z)^{x_j}, \omega_j) = t_j$, $\hat{W}_{i,j} = \Omega_{i_j}(i, j) = \Omega_{i_j}(i, j) = W_{i,j}$. Thus,

$$\begin{aligned} \hat{e}(T, g) &= \hat{e}\left(\prod_{i=1}^c T_{I_i, j_i}^{a_i}, g\right) \\ &= \hat{e}\left(\prod_{S_{j_i} \in \mathcal{S}} \prod_{(I_i, j_i) \in S_{j_i}} T_{I_i, j_i}^{a_i}, g\right) \\ &= \hat{e}\left(\prod_{S_{j_i} \in \mathcal{S}} \prod_{(I_i, j_i) \in S_{j_i}} (h(W_{I_i, j_i})^{F_{I_i, j_i}} u_{j_i}^{a_i x_{j_i}}), g\right) \\ &= \prod_{S_{j_i} \in \mathcal{S}} \hat{e}\left(\prod_{(I_i, j_i) \in S_{j_i}} (h(\hat{W}_{I_i, j_i})^{F_{I_i, j_i}} u_{j_i}^{a_i x_{j_i}}), g^{x_{j_i}}\right) \\ &= \prod_{S_{j_i} \in \mathcal{S}} \hat{e}\left(\prod_{(I_i, j_i) \in S_{j_i}} h(\Omega_{i_j}(I_i, j_i))^{a_i} u_{j_i}^{\hat{F}_{j_i}}, X_{j_i}\right) \end{aligned}$$

□

Theorem 3. *If the patient ID_j (or hospital and $AuthSet_j$) and PCS are honest and follow the proposed procedures, ID_j (or hospital and $AuthSet_j$) can retrieve the queried medical/health data, i.e., Retrieval satisfies the correctness.*

Proof. When the patient ID_j queries to retrieve his own medical/health data, the verification formula (2) holds based on the theorem 2. Then, it is straightforward to get the medical/health data by decrypting the ciphertext using his own symmetric encryption key sk_j .

When the hospital and $AuthSet_j$ cooperate to retrieve ID_j 's medical/health data, by Lagrange interpolation formula, the sk_j can be obtained below:

$$sk_j = \sum_{r=1}^{th_j} \left(\prod_{l=1, l \neq r}^{th_j} \frac{-D_{j,il}}{D_{j,ir} - D_{j,il}} \right) s_{j,il}$$

After that, since $t_j = H(\hat{e}(X_j, Z)^y, \omega_j) = H(\hat{e}(Y, Z)^{x_j}, \omega_j)$, they can also get ID_j 's medical/health data by performs the similar procedures as the patient ID_j . □

Theorem 4 (Possession Against Malicious PCS). *On the GDH group \mathcal{G}_1 , based on the difficulty of CDH problem, the proposed ICS protocol is existentially unforgeable in the random oracle model. That is, the proposed ICS protocol satisfies the security property of provable data integrity against malicious PCS.*

Proof. It is similar with the Ref. [10]. We omit it due to the page limits. □

Theorem 5 (Restrictive Proof of Possession). *For the remote medical/health data, the proposed ICS protocol satisfies restrictive proof of integrity.*

Proof. From the theorem 2, the hospital can perform all the patients' medical/health data integrity checking. For the patient ID_j , he can compute the parameter t_j and $W_{i,j}$. Based on the two parameters, ID_j can perform the proof

of his own medical/health data integrity below: $\hat{e}(T, g) \stackrel{?}{=} \hat{e}(\prod_{(I_i, j_i) \in \mathcal{S}_{j_i}} h(\Omega_{i_j}(I_i, j_i))^{a_i} u_{j_i}^{\hat{F}_{j_i}}, X_{j_i})$.

Except for the hospital, the patients and PCS, the third party has no ability to get t_j based on the difficulty of BDHP. Thus, the third party can not also compute $\Omega_{i_j}(I_i, j_i)$. Finally, the third party can not perform the verification equation:

$$\hat{e}(T, g) \stackrel{?}{=} \prod_{S_{j_i} \in \mathcal{S}} \hat{e}\left(\prod_{(I_i, j_i) \in S_{j_i}} h(\Omega_{i_j}(I_i, j_i))^{a_i} u_{j_i}^{\hat{F}_{j_i}}, X_{j_i}\right)$$

Thus, the proposed ICS protocol satisfies restrictive proof of integrity. □

Theorem 6 (Restrictive Retrieability). *For the remote medical/health data, the proposed ICS protocol satisfies the property of restrictive retrievability.*

Proof. From the theorem 3, the patients have the ability to retrieve their own medical/health data. In the patient ID_j 's authorized entities, if at least th_j entities agree to retrieve ID_j 's remote medical/health data, these authorized entities and the hospital have the ability to cooperate to retrieve ID_j 's remote medical/health data.

On the contrary, if less than $th_j - 1$ authorized entities agree to retrieve ID_j 's data, they only succeed with negligible probability. According to the process of symmetric encryption key distribution, the function \mathcal{F}_j has the order $th_j - 1$. It can be determined by at least th_j points. Less than $th_j - 1$ authorized entities can provide less than $th_j - 1$ points. \mathcal{F}_j can not be determined and the symmetric encryption key sk_j can not also be determined. Thus, they have no ability to retrieve ID_j 's remote medical/health data. □

Theorem 7. *The proposed ICS protocol is $\left(\frac{d}{n}, 1 - \left(\frac{n-d}{n}\right)^c\right)$ -secure since the probability P_R of detecting the corruption satisfies:*

$$1 - \left(\frac{n-d}{n}\right)^c \leq P_R \leq 1 - \left(\frac{n-c+1-d}{n-c+1}\right)^c$$

where PCS has stored $n = n_1 + n_2 + \dots + n_{n_p}$ block-tag pairs for n_p patients, PCS has corrupted d block-tag pairs, and the challenge is $chal_p = (c, k_1, k_2)$.

Proof. It is similar with Ref. [9]. We omit it due to the page limits. □

4. Performance

We implemented our ICS scheme in order to demonstrate the effectiveness of our scheme. We used the C programming language with the GMP (GMP-5.0.5), Miracl and PBC (pbc-0.5.13) libraries. In the implementation, PCS ran on the laptop with the following features:

- CPU: Intel Core i7-3517U @ 1.90GHz
- Physical Memory: 4GB DDR3 1600MHz

- OS: Ubuntu 13.04 Linux 3.8.0-19-generic SMP i686

Hospital, *Patient* and *AuthSet* ran on a laptop with the following features:

- CPU: CPU I PDC E6700 3.2GHz
- Physical Memory: DDR3 2G
- OS: Ubuntu 11.10 over VMware-workstation-full-8.0.0

Our cryptographic choices were: i) an elliptic curve with 160-bit group order; and iii) AES (Advanced Encryption Standard) as the symmetric encryption algorithm. Figure 1 depicts PCS's computation time cost in the phase of *GenProof* and *GenRetr*. In the X-axis we represent the number c of challenged blocks. The Y-axis represents PCS's computation time in ms (*i.e.*, milliseconds) in order to generate the proof or retrieve the block. Figure 2 depicts hospital computation time cost in *CheckProof*. The X-axis represents the number c of challenged blocks. The Y-axis represents hospital's computation time (s) to check the proof, where $p1$, $p2$, $p3$ denotes the challenged patients' number. Thus, the challenged block number must be bigger than the challenged patients, *i.e.*, $p1 \geq c$, $p2 \geq c$, $p3 \geq c$. Figure 3 depicts the time cost of hospital and *AuthSet* in the phase *Retrieval*. The X-axis represents the number c of challenged blocks. The Y-axis represents hospital and *AuthSet*'s computation time (ms) in order to retrieve c blocks in the phase *Retrieval*.

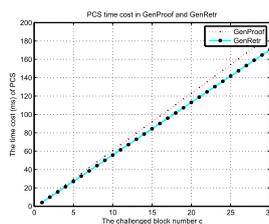


Fig. 1 PCS time cost in GenProof and GenRetr.

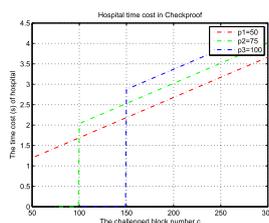


Fig. 2 Hospital time cost in CheckProof.

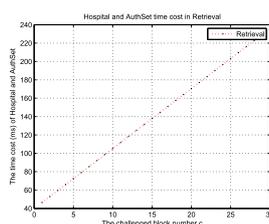


Fig. 3 Hospital and AuthSet time cost in Retrieval.

5. Conclusions

In this paper, we propose the concept of ICS protocol for critical patients in cloud-based health internet of things. This paper formalizes the system model and security model of ICS protocol. Based on the pairing, a concrete ICS protocol is designed. The proposed ICS protocol is provably secure and efficient by security analysis and performance analysis.

Acknowledgments

The work of H. Wang was supported in part by the National Natural Science Foundation of China under Grant (61272522), in part by the Natural Science Foundation of Liaoning Province under Grant (2014020147), and in part by the Program for Liaoning Excellent Talents in University under Grant (LR2014021), and in part by the CICAET fund and the PAPD fund. This work of K. Li was partly supported by the National Science Foundation for Distinguished Young Scholars of China (61225010), and the State Key Program of National Natural Science of China (61432002).

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